

# GPU Compute for Mobile Devices

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# Agenda

Introduction to Mali GPUs

Mali-T600 / T700 Compute Overview

Optimal OpenCL for Mali-T600 / T700

OpenCL Optimization Case Studies

# ARM Introduction

- World leading semiconductor IP

- Founded in 1990
- 1060 processor licenses sold to more than 350 companies
- > 10bn ARM-based chips in 2013
- > 50bn ARM-based chips to date

- Business model

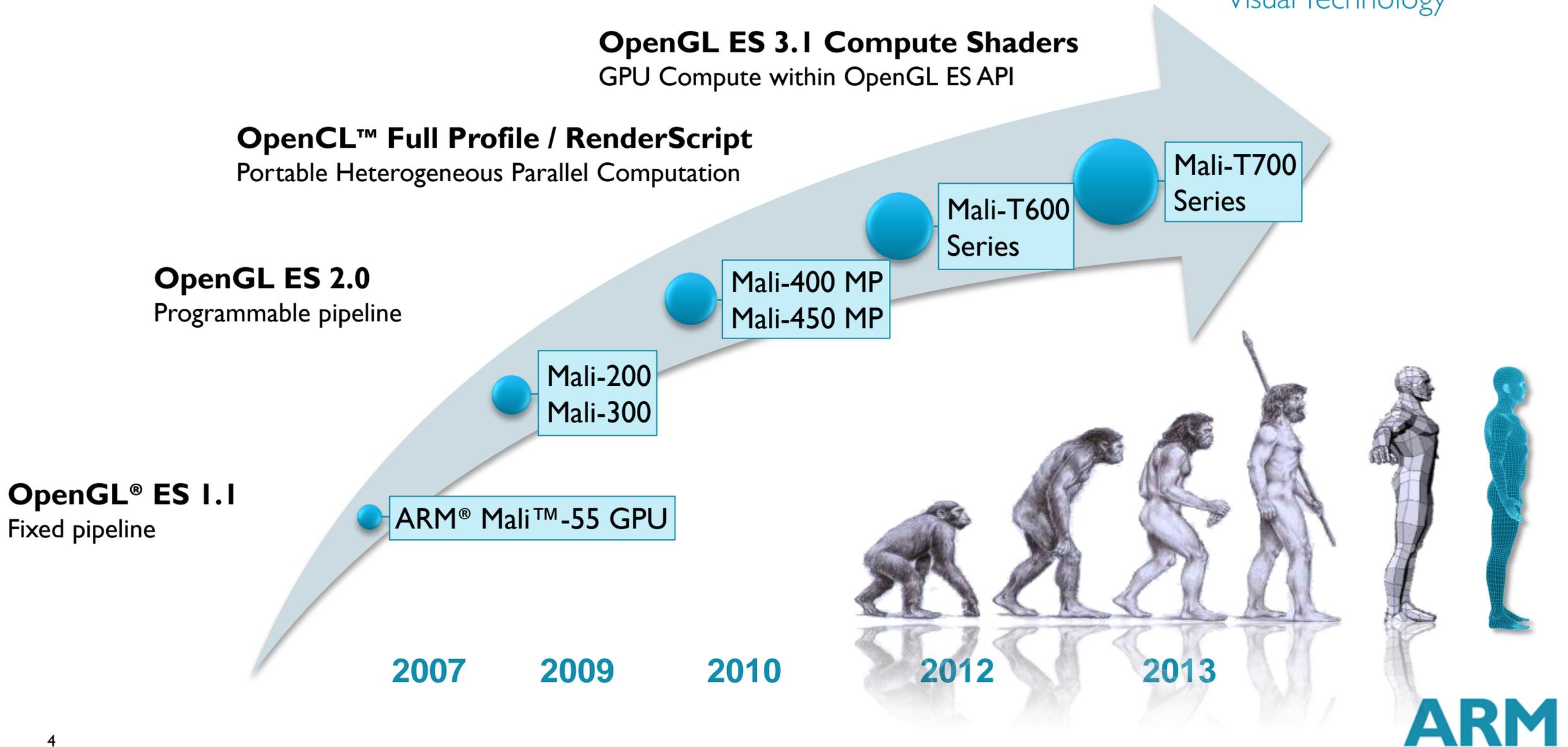
- Designing and licensing of IP
- Not manufacturing or selling on chips

- Products

- CPUs
- Multimedia processors
- Interconnect
- Physical IP



# The Evolution of Mobile GPU Compute

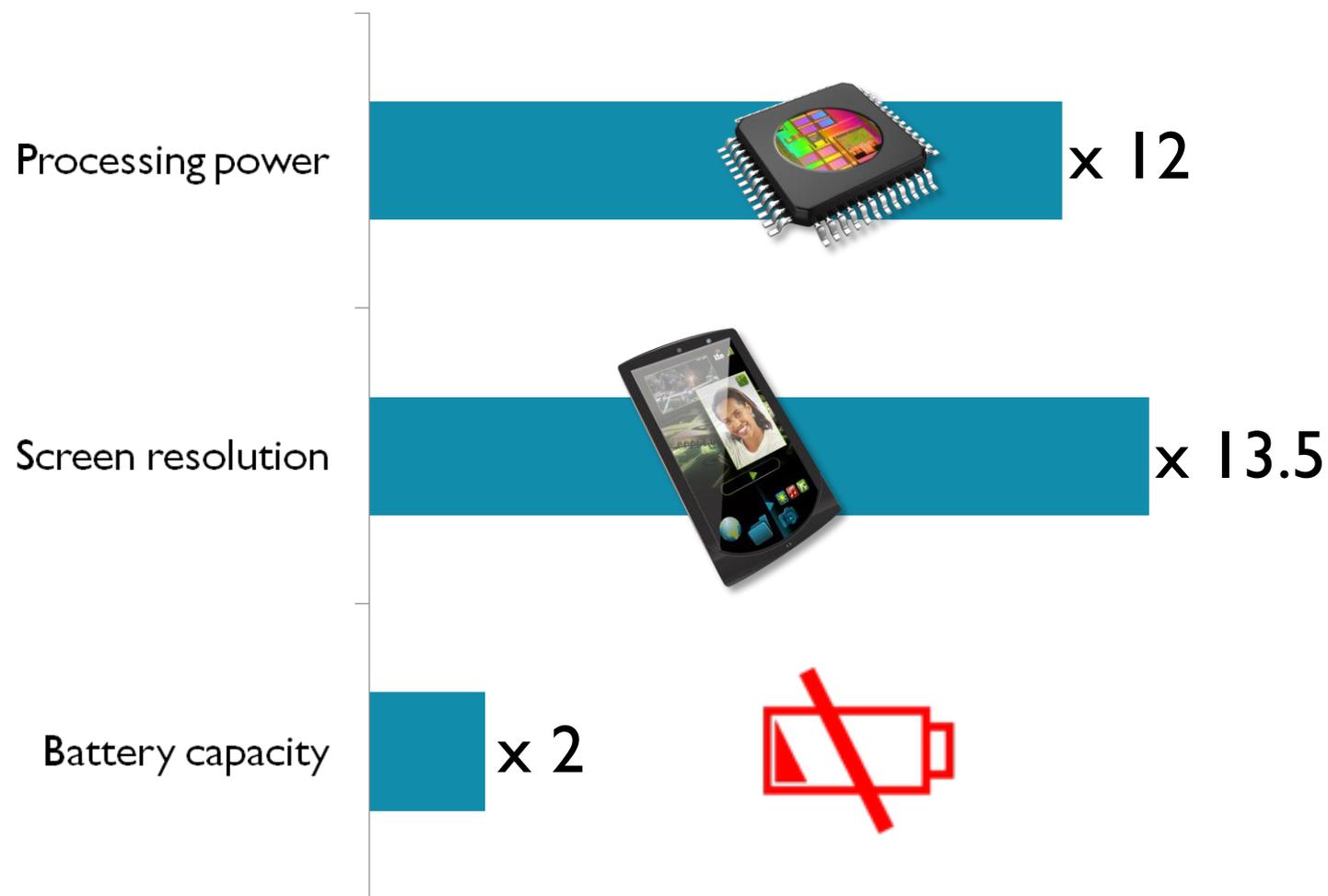


# Mobile Performance: New Challenges need New Solutions

- Processing power outpacing improvements in battery performance
- Processor frequency bound by thermal limitations
- Adding duplicate cores has diminishing returns

**Vital to focus on processing efficiency through heterogeneous architectures**

## Technological Improvements since 2010

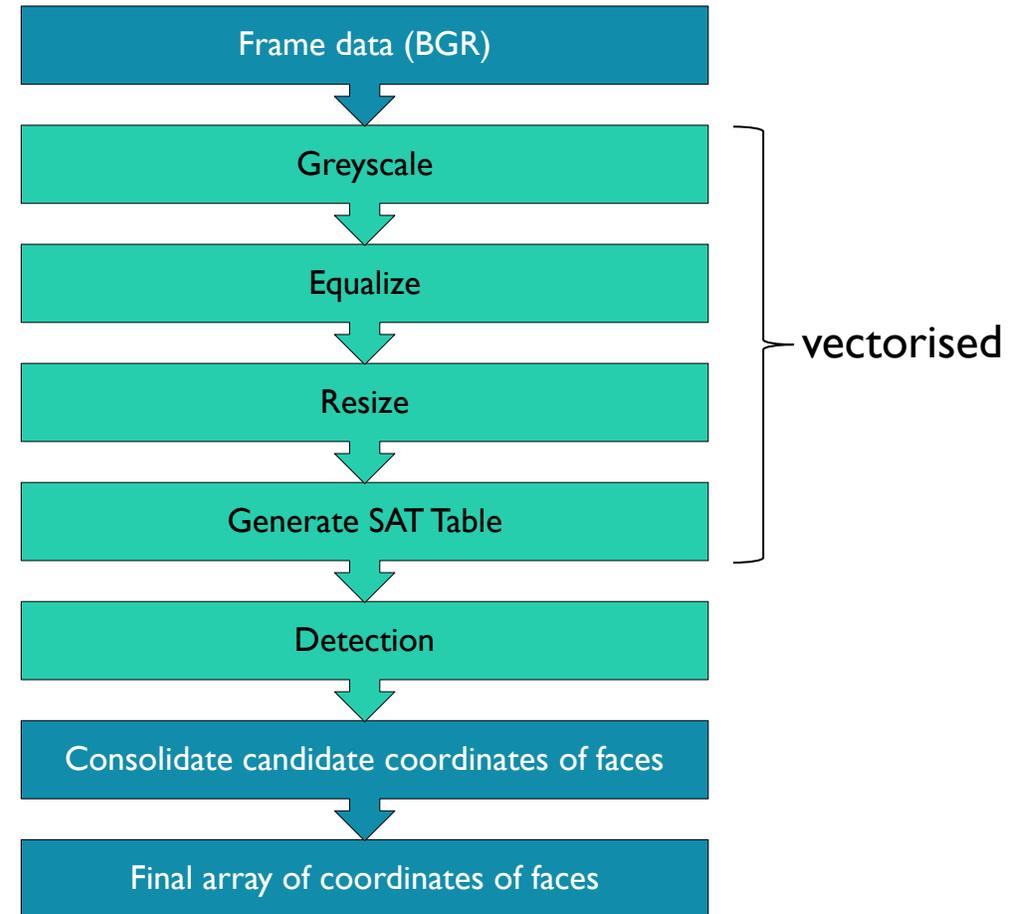


# Face Detection Case Study

- Internal demo to explore possibilities of computer vision on mobile
- CPU version from OpenCV library.
  - Single threaded
  - No NEON
- OpenCL version written and optimised for Mali

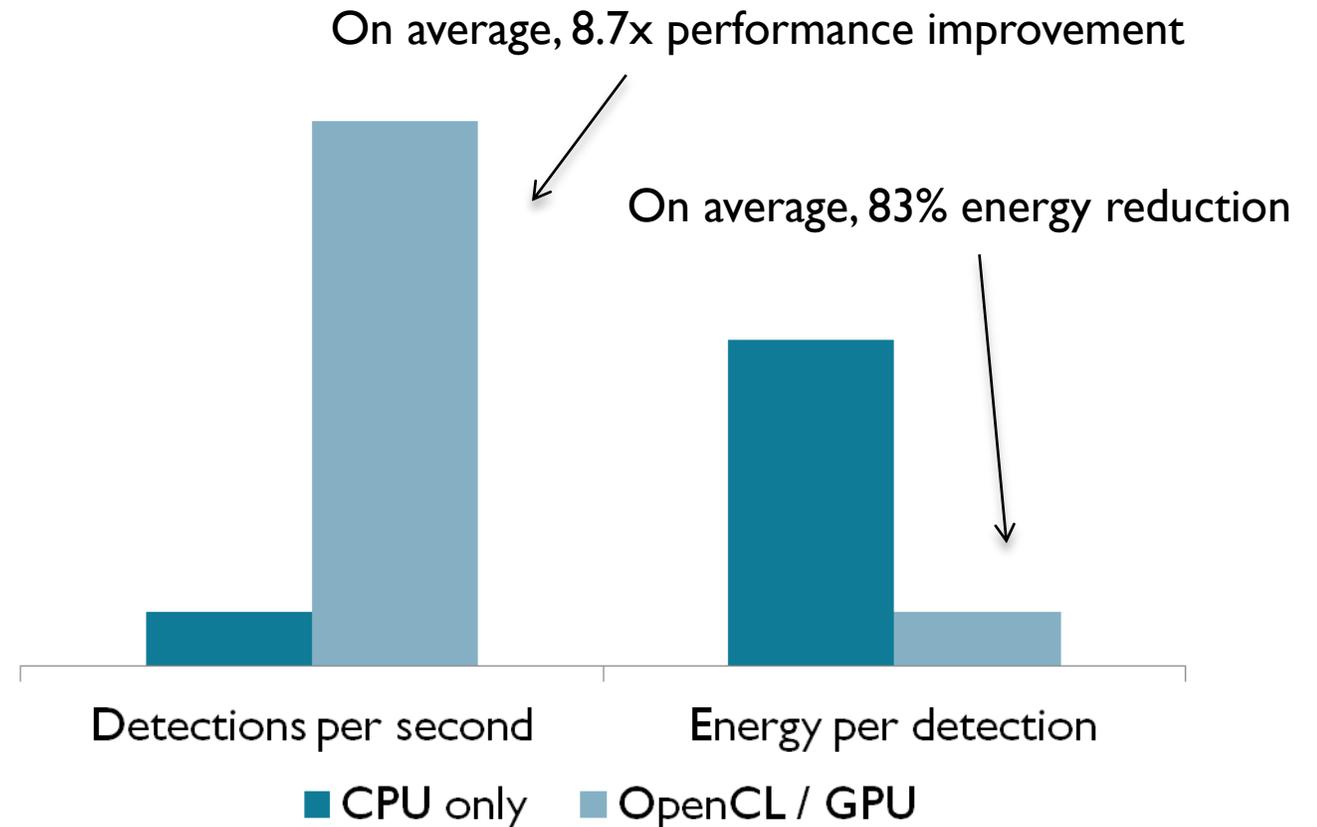


■ CPU  
■ GPU



# Face Detection Case Study

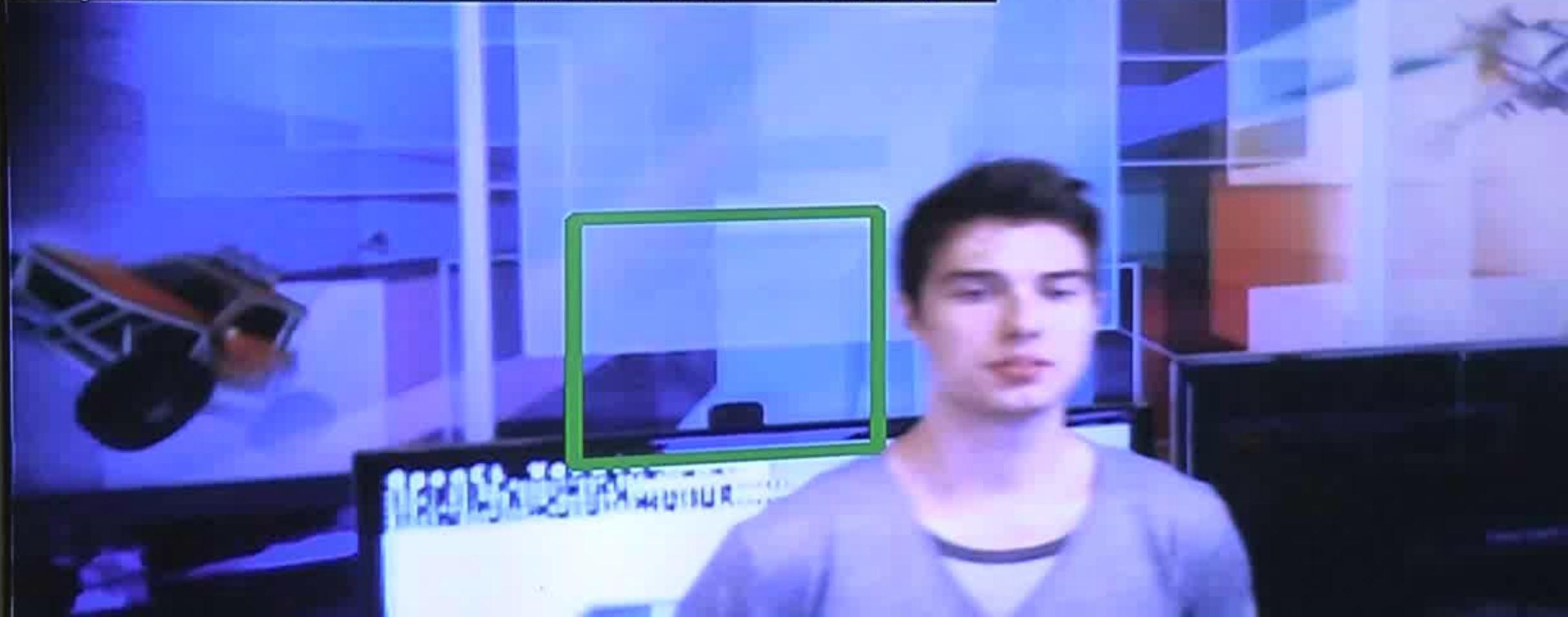
- Significant performance benefits using Mali-T600 GPU Compute
  - In terms of speed
  - ...and energy
- CPU version could have been optimised more
  - Multithreaded
  - NEON
  - We would expect much better speed... but also even more power usage
  - And with the GPU implementation the CPU is free to do something else



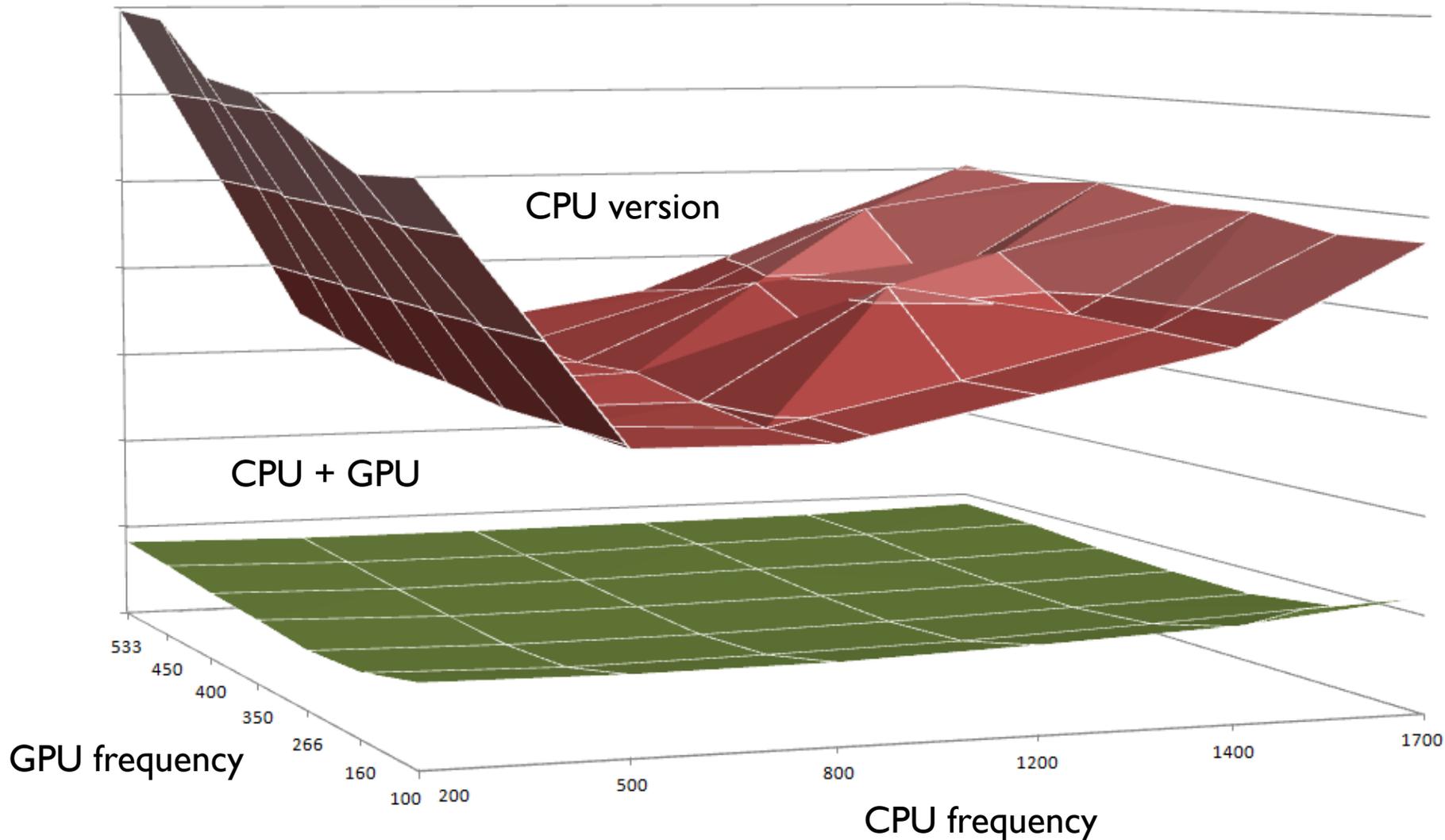
No Cable Connected

# CPU Version [Auto]

FPS : 26.60 Detections per sec 3.12  
CPU0 : 56.37% CPU1: 87.68%  
GPU Load: 6.56% Resolution 640x480  
Async 'enabled' Detection 'enabled'

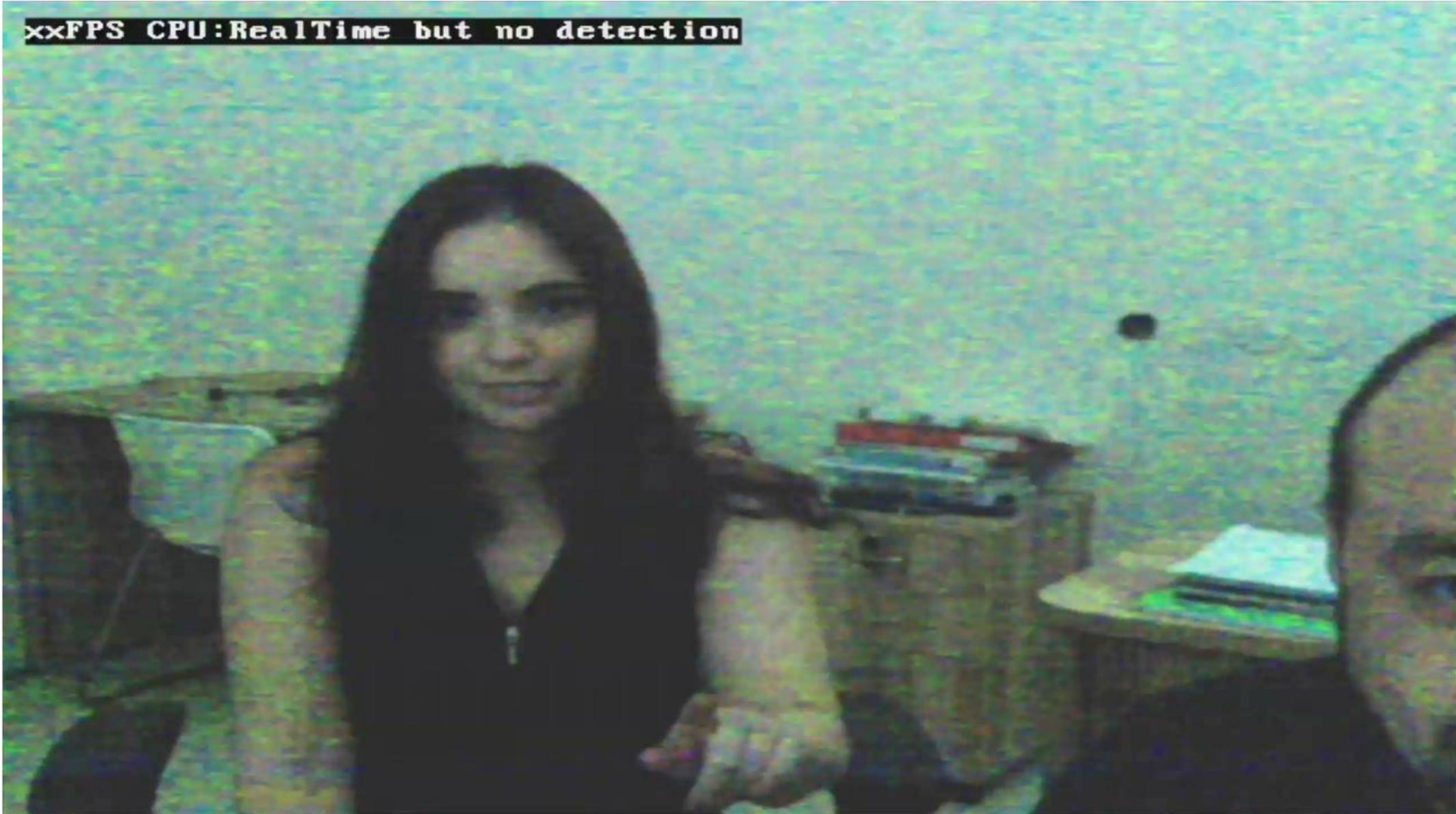


# Face Detection Relative Energy Usage

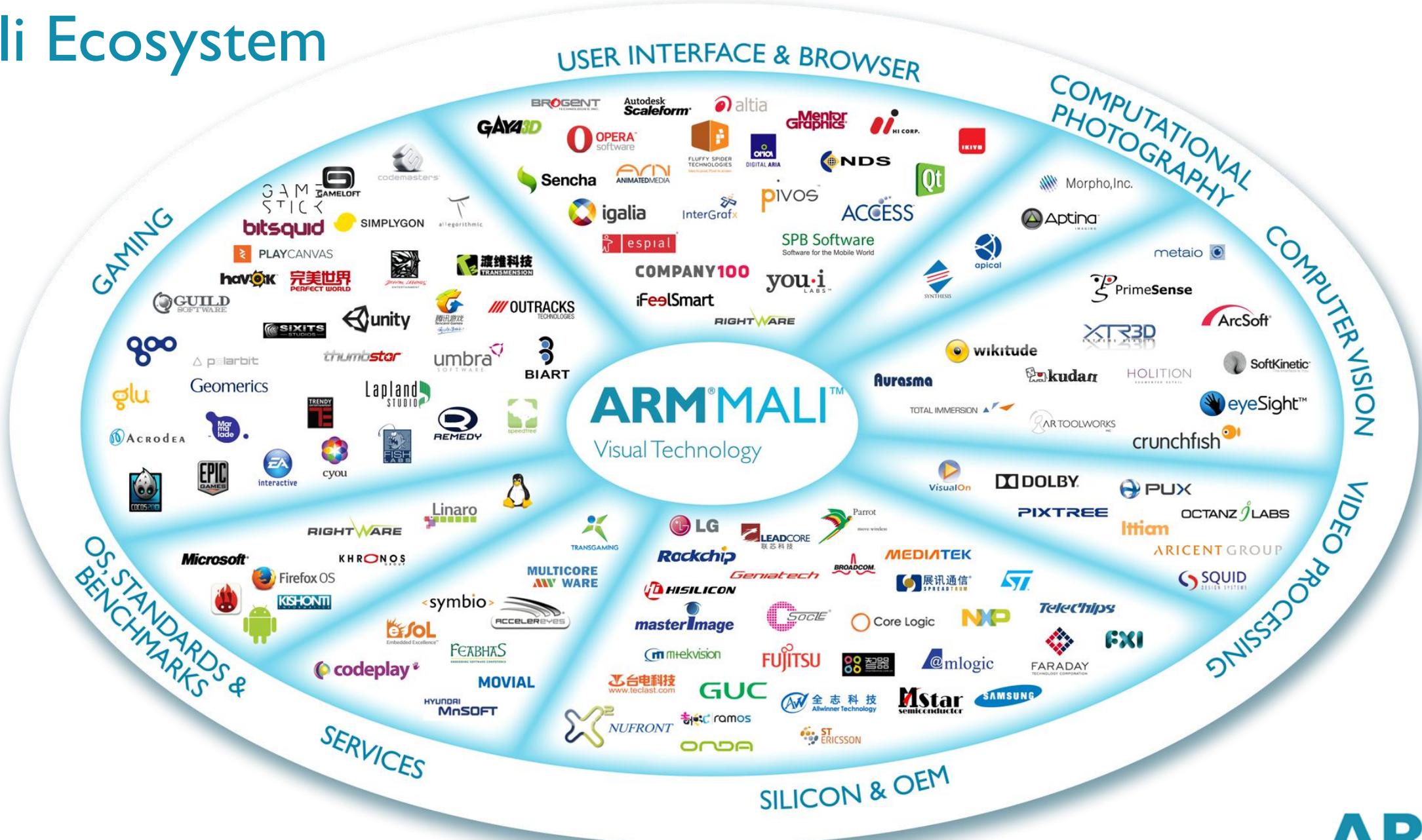


- CPU + GPU always more efficient than CPU only
- CPU + GPU on average ~5x more efficient

xxFPS CPU:RealTime but no detection



# Mali Ecosystem



# GPU Compute on Mali

- Full profile OpenCL conformance since late 2012
- OpenCL devices: Arndale platforms, Samsung Chromebook
  - <http://malideveloper.arm.com/develop-for-mali/development-platforms/in-signal-arndale-octa-board/>
  - <http://malideveloper.arm.com/develop-for-mali/development-platforms/samsung-arndale-board/>
  - <http://malideveloper.arm.com/develop-for-mali/development-platforms/samsung-chromebook/>
  - Including full guide for running OpenCL 1.1
- Other devices:
  - Google Nexus 10: first GPU-accelerated RenderScript device
  - Samsung Galaxy S5
- All based on Mali-T6xx



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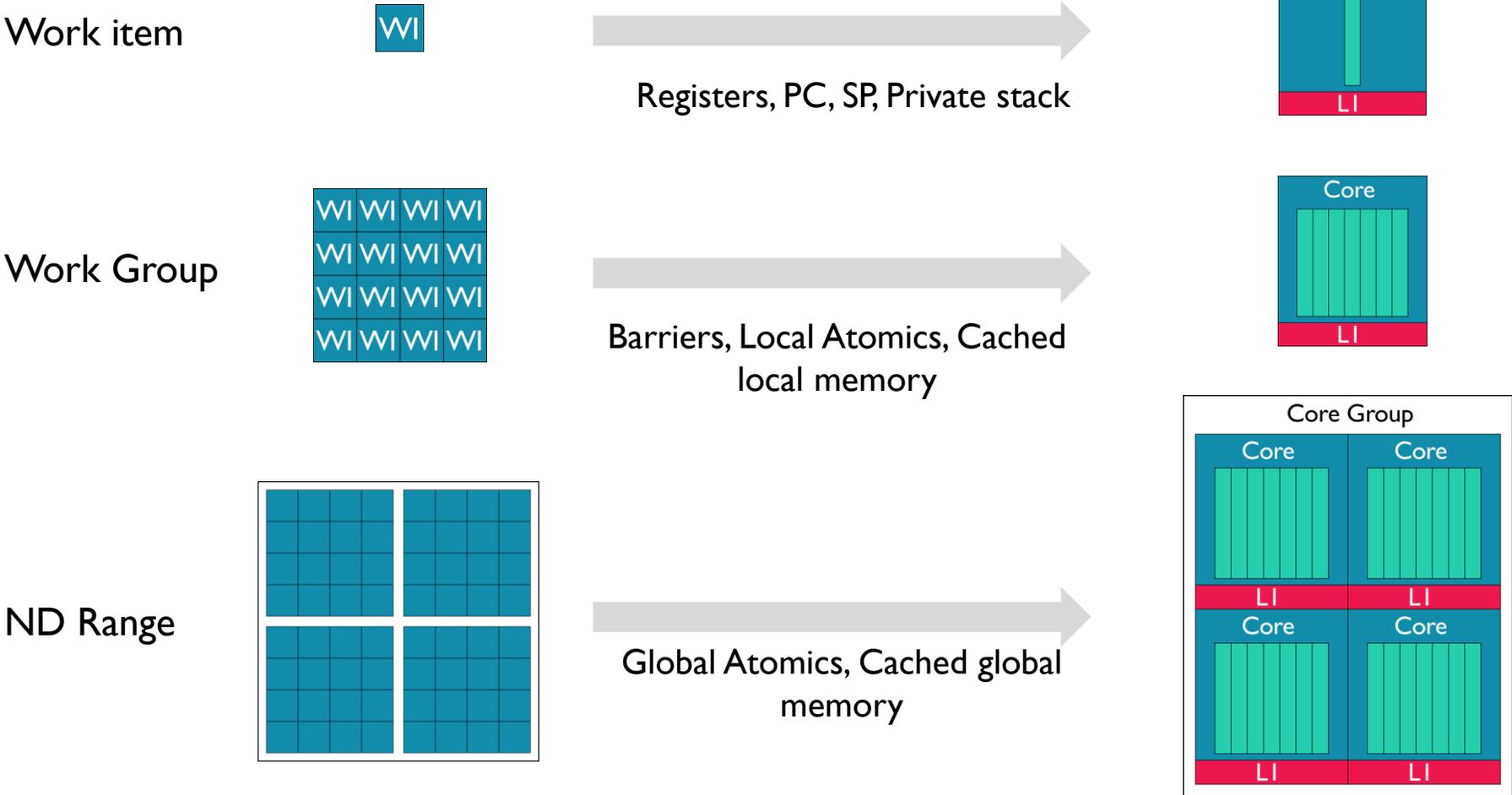
- OpenCL Execution Model

Mali Drivers

Optimal OpenCL for Mali-T600 / T700

OpenCL Optimization Case Studies

# CL Execution model on Mali-T600 (I)



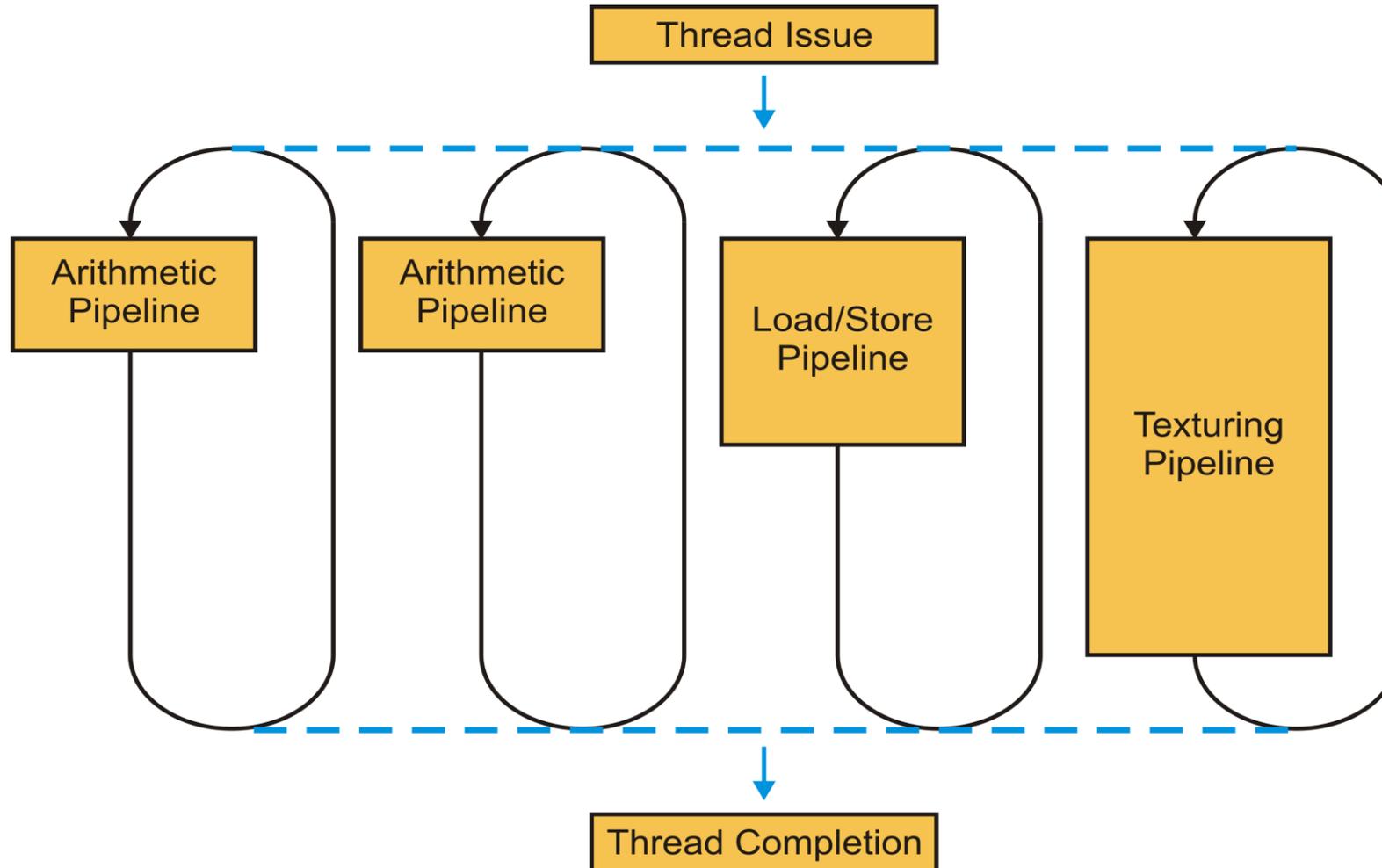
# CL Execution model on Mali-T600 (2)

- Each work-item runs as one of the threads within a core
  - Every Mali-T600 thread has its own independent program counter
  - ...which supports divergent threads from the same kernel
  - caused by conditional execution, variable length loops etc.
  - Some other GPGPU's use "WARP" architectures
  - These share a common program counter with a group of work-items
  - This can be highly scalable... but can be slow handling divergent threads
  - T600 effectively has a Warp size of 1
  - Up to 256 threads per core
- Every thread has its own registers
- Every thread has its own stack pointer and private stack
- Shared read-only registers are used for kernel arguments

# CL Execution model on Mali-T600 (3)

- A whole work-group executes on a single core
  - Mali-T600 supports up to 256 work-items per work-group
  - OpenCL barrier operations (which synchronise threads) are handled by the hardware
- For full efficiency you need more work-groups than cores
  - To keep all of the cores fed with work
  - Most GPUs require this, so most CL applications will do this
- Local and global atomic operations are available in hardware
- All memory is cached

# Inside a Core



$$T = \max( A_0, A_1, LS, Tex )$$

# Inside each ALU

- Each ALU has a number of hardware compute blocks:

Dot product (4 x muls, 3 x adds)	7 flops
Vector add	4 flops
Vector mul	4 flops
Scalar add	1 flop
Scalar mul	1 flop
	<b>= 17 flops / cycle / ALU / core (FP32)</b>

- Theoretical peak vs Realistic peak performance
- Capable of 5 FP64 flops

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# ARM's OpenCL Driver

- Full profile OpenCL v1.1 in hardware and Mali-T600 / T700 driver
  - Backward compatibility support for OpenCL v1.0
  - Embedded profile is a subset of full profile
  - Image types supported in HW and driver
  - Atomic extensions (32 and 64-bit)
  - Hardware is OpenCL v1.2 ready (driver to follow)
  - printf implemented as an extension to v1.1 driver

# A Note about RenderScript

- The GPU-Compute API on Android™
- Similar architecture to OpenCL
  - Based on C99
- Transparent device selection
  - The driver manages and selects devices
- Transparent memory management
  - Copying managed by the driver, based on allocation flags
- Higher level than OpenCL
  - Less explicit control over details

# RenderScript Driver

- RenderScript programs run on the GPU if they can
  - with automatic fallback to the CPU if not
- Four circumstances cause a RenderScript program to run on the CPU...
  - If a RenderScript accesses a global pointer, the script cannot run on the GPU

```
float *array;

void root(const float *in, float *out, uint32_t x)
{
    *out = *in + array[x % 5];
}
```

```
rs_allocation array;

void root(const float *in, float *in, uint32_t x)
{
    *out = *in + *(float *)rsGetElementAt(array, x % 5);
}
```

- Memory allocation flags - allocations need to be flagged with USAGE\_SCRIPT

```
Allocation.createTyped(mRS, typeBuilder.create(),
    typeBuilder.create(),
    MipmapControl.MIPMAP_NONE,
    Allocation.USAGE_GRAPHICS_TEXTURE);
```

```
Allocation.createTyped(mRS, typeBuilder.create(),
    typeBuilder.create(),
    MipmapControl.MIPMAP_NONE,
    Allocation.USAGE_GRAPHICS_TEXTURE |
    Allocation.USAGE_SCRIPT);
```

- Recursive Functions
- Any use of direct or indirect recursion within functions is incompatible with the GPU
- Debug Functions

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- General Advice

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# Porting OpenCL code from other GPUs

- Desktop GPUs require data to be copied to local or private memory buffers
  - Otherwise their performance suffers
  - These copy operations are expensive
  - These are sometimes done in the first part of a kernel, followed by a synchronisation barrier instruction, before the actual processing begins in the second half
  - The barrier instruction is also expensive
- When running on Mali just use global memory instead
  - Thus the copy operations can be removed
  - And also any barrier instructions that wait for the copy to finish
  - Query the device flag `CL_DEVICE_HOST_UNIFIED_MEMORY` if you want to write performance portable code for Mali and desktop PC's
    - The application can then switch whether or not it performs copying to local memory

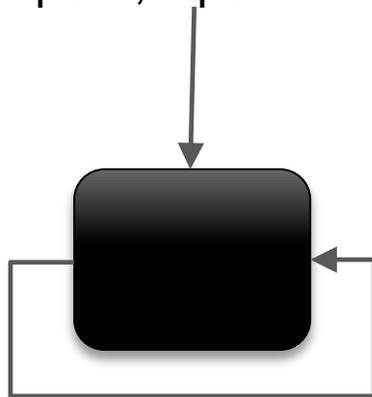
# Use Vectors

- Mali-T600 and T700 series GPUs have a vector capable GPU
- Mali prefers explicit vector functions
- `clGetDeviceInfo`
  - `CL_DEVICE_NATIVE_VECTOR_WIDTH_CHAR`
  - `CL_DEVICE_NATIVE_VECTOR_WIDTH_SHORT`
  - `CL_DEVICE_NATIVE_VECTOR_WIDTH_INT`
  - `CL_DEVICE_NATIVE_VECTOR_WIDTH_LONG`
  - `CL_DEVICE_NATIVE_VECTOR_WIDTH_FLOAT`
  - `CL_DEVICE_NATIVE_VECTOR_WIDTH_DOUBLE`
  - `CL_DEVICE_NATIVE_VECTOR_WIDTH_HALF`

# Hello OpenCL

```
for (int i = 0; i < arraySize; i++)  
{  
    output[i] =  
        inputA[i] + inputB[i];  
}
```

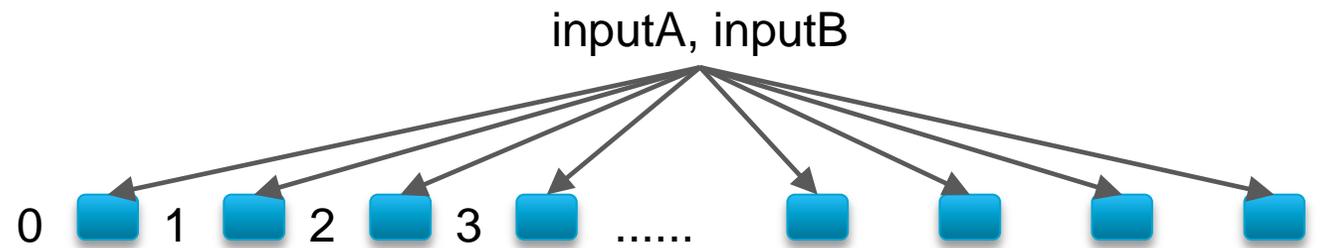
i, inputA, inputB



i++

```
__kernel void kernel_name(__global int* inputA,  
                          __global int* inputB,  
                          __global int* output)  
{  
    int i = get_global_id(0);  
    output[i] = inputA[i] + inputB[i];  
}
```

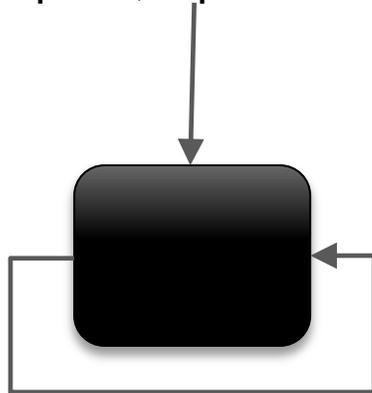
```
clEnqueueNDRangeKernel(..., kernel, ..., arraySize, ...)
```



# Hello OpenCL Vectors

```
for (int i = 0; i < arraySize; i++)  
{  
    output[i] =  
        inputA[i] + inputB[i];  
}
```

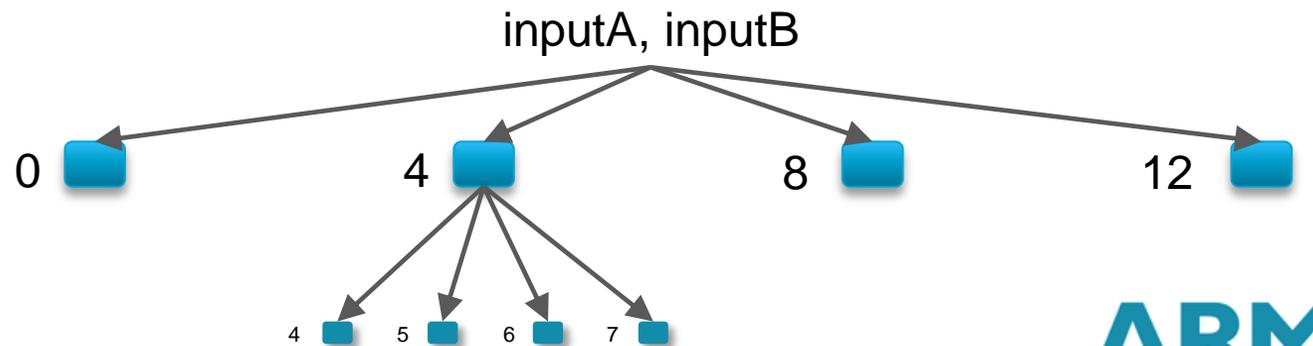
i, inputA, inputB



i++

```
__kernel void kernel_name(__global int* inputA,  
                          __global int* inputB,  
                          __global int* output)  
{  
    int i = get_global_id(0);  
    int4 a = vload4(i, inputA);  
    int4 b = vload4(i, inputB);  
    vstore4(a + b, i, output);  
}
```

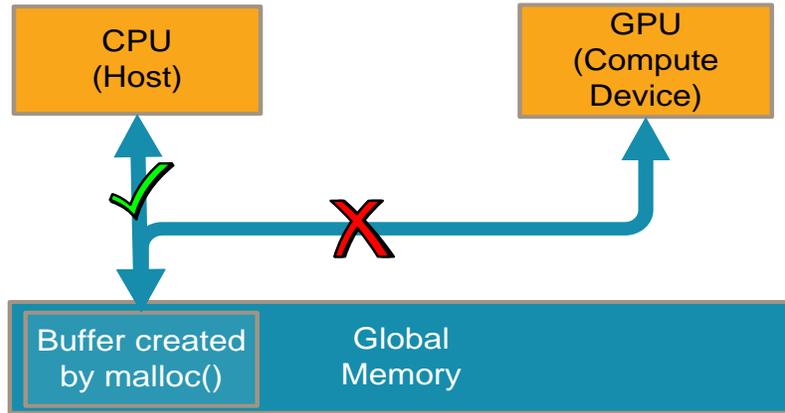
```
clEnqueueNDRangeKernel(..., kernel, ..., arraySize / 4, ...)
```



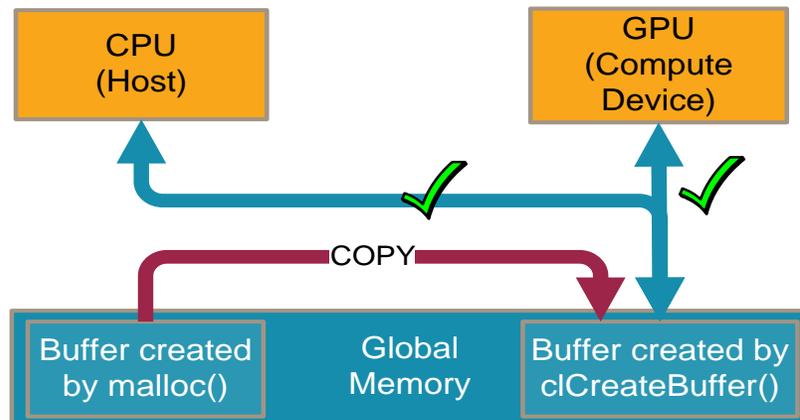
# Creating buffers

- The application creates buffer objects that pass data to and from the kernels by calling the OpenCL API `clCreateBuffer()`
- All CL memory buffers are allocated in global memory that is physically accessible by both CPU and GPU cores
  - However, only memory that is allocated by `clCreateBuffer` is mapped into both the CPU and GPU virtual memory spaces
  - Memory allocated using `malloc()`, etc, is only mapped onto the CPU
- So calling `clCreateBuffer()` with `CL_MEM_USE_HOST_PTR` and passing in a user created buffer requires the driver to create a new buffer and copy the data (identical to `CL_MEM_COPY_HOST_PTR`)
  - This copy reduces performance
- So where possible always use `CL_MEM_ALLOC_HOST_PTR`
  - This allocates memory that both CPU and GPU can use without a copy

# Host data pointers

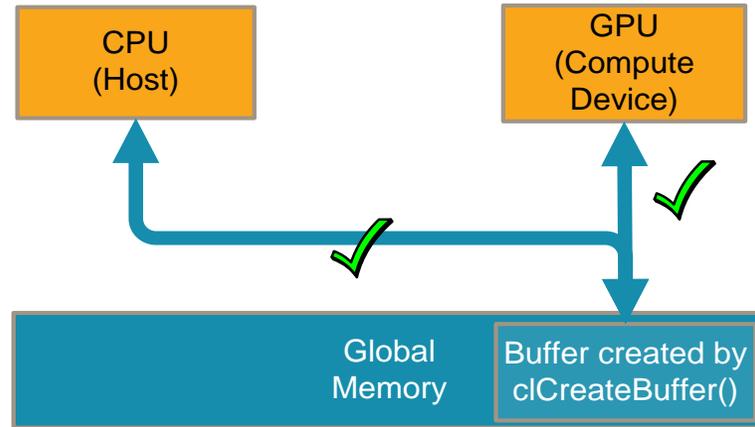


Buffers created by user (`malloc`) are not mapped into the GPU memory space



`clCreateBuffer(CL_MEM_USE_HOST_PTR)` creates a new buffer and copies the data over (but the copy operations are expensive)

# Host data pointers



`clCreateBuffer(CL_MEM_ALLOC_HOST_PTR)`  
creates a buffer visible by both GPU and CPU

- Where possible don't use `CL_MEM_USE_HOST_PTR`
  - Create buffers at the start of your application
  - Use `CL_MEM_ALLOC_HOST_PTR` instead of `malloc()`
  - Then you can use the buffer on both CPU host and GPU

# Run Time

- Where your kernel has no preference for work-group size, for maximum performance...
  - either use the compiler recommended work-group size...

```
clGetKernelWorkgroupInfo(kernel, dev, CL_KERNEL_WORK_GROUP_SIZE, sizeof(size_t)... );
```
  - or use a large multiple of 4
  - You can pass NULL, but performance might not be optimal
- If you want your kernel to access host memory
  - use mapping operations in place of read and write operations
  - mapping operations do not require copies so are faster and use less memory

# Compiler

- Run-time compilation isn't free!
- Compile each kernel only once if possible
  - If your kernel source is fixed, then compile the kernel during your application's initialisation
  - If your application has an installation phase then cache the binary on a storage device for the application's next invocation
  - Keep the resultant binary ready for when you want to run the kernel
- `clBuildProgram` only partially builds the source code
  - If the kernels in use are known at initialization time, then also call `clCreateKernel` for each kernel to initiate the finalizing compile
  - Creating the same kernels in the future will then be faster because the finalized binary is used

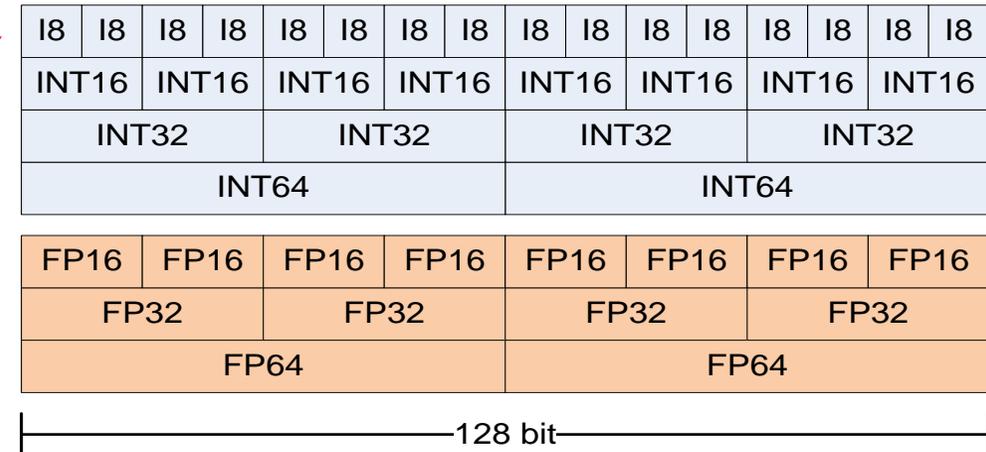
# BIFLs

- Where possible use the built-in functions as the commonly occurring ones compile to fast hardware instructions
  - Many will target vector versions of the instructions where available
- Using “half” or “native” versions of built-in functions
  - e.g. `half_sin(x)`
    - Specification mandates a minimum of 10-bits of accuracy
  - e.g. `native_sin(x)`
    - Accuracy and input range implementation defined
  - Not always an advantage on Mali-T600 / T700... for some functions the precise versions are just as fast

# Arithmetic

- Mali-T600 / T700 has a register and ALU width of 128-bits
  - Avoid writing kernels that operate on single bytes or scalar values
  - Write kernels that work on vectors of at least 128-bits.
  - Smaller data types are quicker
  - you can fit eight shorts into 128-bits compared to four integers
- Integers and floating point are supported equally quickly
  - Don't be afraid to use the data type best suited to your algorithm
- Mali-T600 / T700 can natively support all CL data types
- VLIW: Several operations per instruction word
  - Some operations are free

16 x 8-bit chars (char16)  
2 x 64-bit integers (long2)  
4 x 32-bit floats (float4)  
2 x 64-bit floats (double2)



# Register operations

- All operations can read or write any element or elements within a register

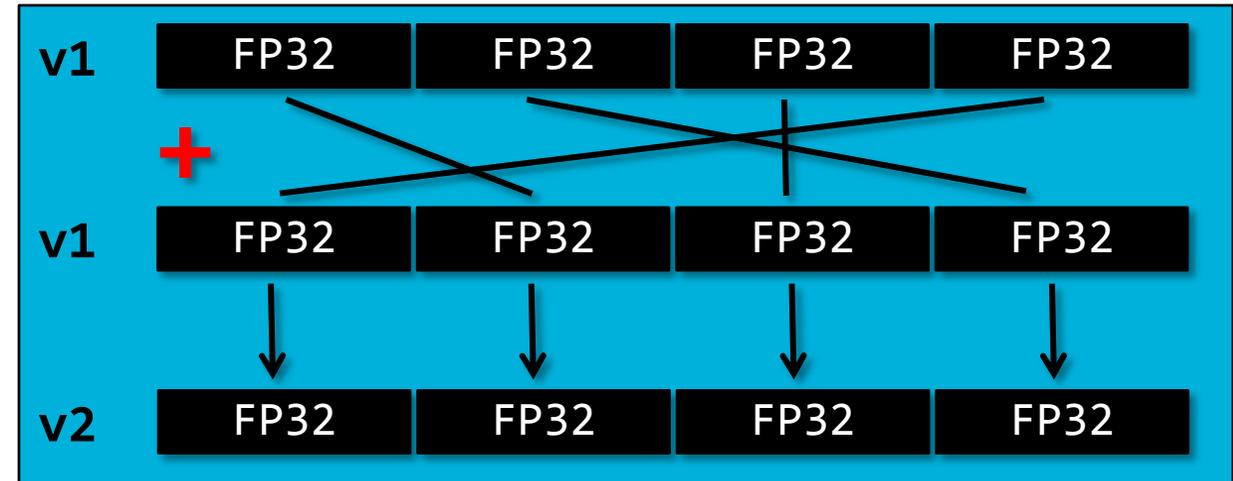
- e.g. `float4 v1, v2;`  
    `...`  
    `v2.y = v1.x`

- All operations can swizzle the elements in their input registers

- e.g. `float4 v1, v2;`  
    `...`  
    `v2 = v1 + v1.wxyz`

- These operations are mostly free, as are various data type expansion and shrinking operations

- e.g. `char -> short`



# Images

- Image data types are supported in hardware so use them!
  - Supports coordinate clipping, border colours, format conversion, etc
  - Bi-linear pixel read only takes a cycle
  - Happens in the texture pipeline – leaving ALU and L/S pipes free
  - If you don't use it the texture unit turns off to save power
  - Image stores won't use the texture unit
  - go through the L/S pipe instead
- However buffers of integer arrays can be even faster still:
  - If you don't read off the edge of the image, and you use integer coordinates, and you don't need format conversion then...
  - You can read and operate on 16 x 8-bit greyscale pixels at once
  - Or 4 x **RGBA8888** pixels at once

# Load/Store Pipeline

- The L1 and L2 caches are not as large as on desktop systems...
  - and there are a great many threads
  - If you do a load in one instruction, by the next instruction (in the same thread) the data could possibly have been evicted
  - So pull as much data into registers in a single instruction as you can
  - One instruction is always better than using several instructions!
  - And a 16-byte load or store will typically take a single cycle (assuming no cache misses)

# Miscellaneous

- Process large data sets!
  - OpenCL setup overhead can limit the GPU over CPU benefit with smaller data sets
- Feed the beast!
  - The ALU's work at their most efficient when running lots of compute
  - Don't be afraid to use a high density of vector calculations in your kernels
- Avoid writing kernels that use a large numbers of variables
  - Reduces the available registers
  - and therefore the maximum workgroup size reduces
  - Sometimes better to re-compute a value than store in a variable
- Avoid prime number work size dimensions
  - Cannot select an efficient workgroup size with a prime number of work items
  - Ideally workgroup size should be a multiple of 4

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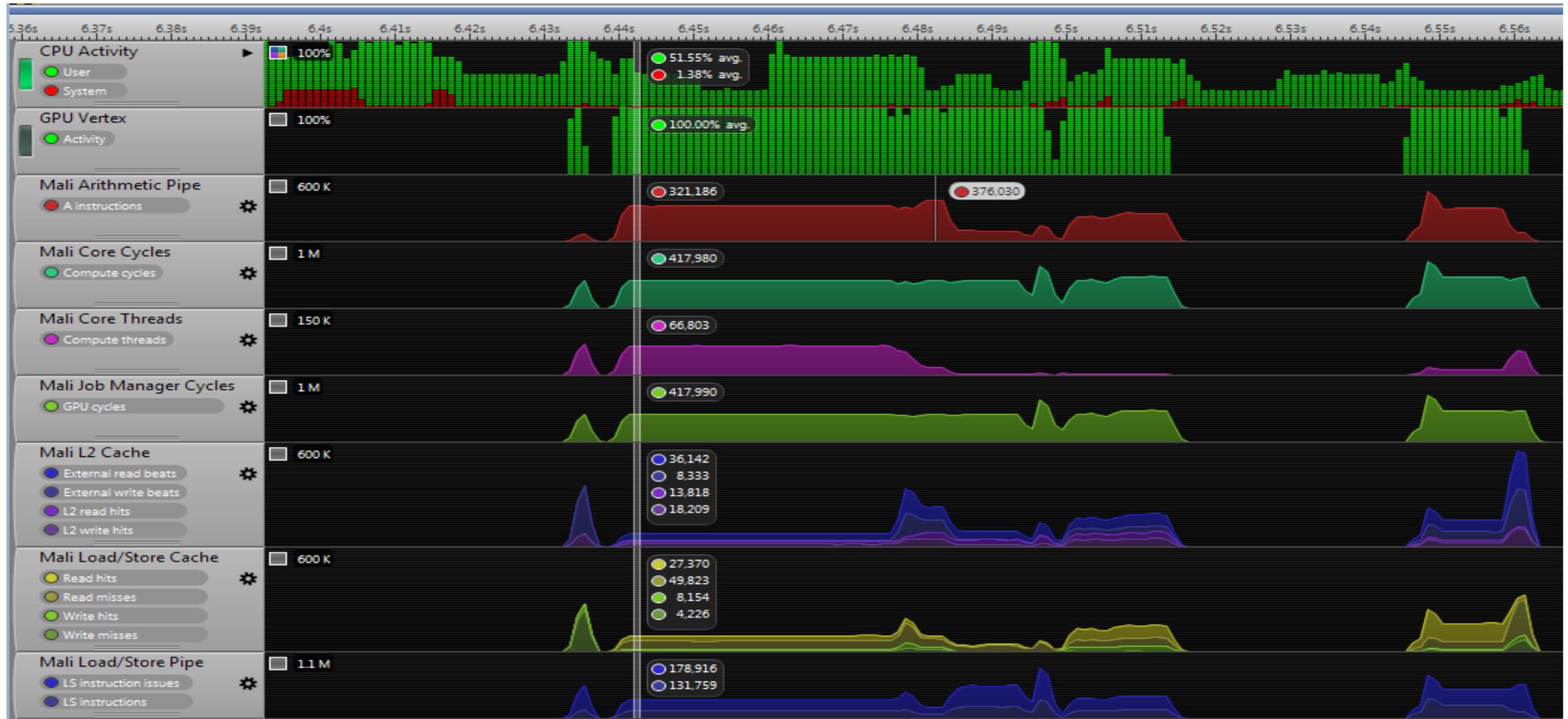
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OpenCL Optimization Case Studies

# Hardware Counters

- Counters per core
  - Active Cycles
  - Pipe activity
  - L1 cache
- Counters per Core Group
  - L2 caches
- Counters for the GPU
  - Active cycles
- Accessed through Streamline™
  - Timeline of all hardware counters, and more
  - Explore the execution of the full application
  - Zoom in on details

# Streamline



# Memories

- Only one programmer controlled memory
  - Many transparent caches
- Memory copying takes time
  - It can easily dominate over kernel execution time
- Use appropriate memory allocation schemes
- Avoid synchronization points
  - Cache maintenance has a cost as well
- Streamline to the rescue
  - Visualize when kernels are executed
  - Many features not covered here

# Hiding Pipeline Latency

- Needs enough threads
  - Limited by register usage
- When there are issues
  - Few instructions issued per cycle
  - Spilling of values to memory
- Symptoms
  - Low Max Local Workgroup Size in OpenCL
  - Few instructions issued per cycle in limiting pipe
- Remedy
  - Smaller types → More values per register
  - Splitting kernels

# Pipeline Utilization

- Prefer vector operations
  - More components per operation
- Prefer small types
  - More components in 128 bits
- Balance work between the pipes
  - Do less – with the pipe that limits performance

$$T = \max( A_0, A_1, LS, Tex )$$

# Finding the Bottlenecks

- Host application or Kernel execution
  - Avoid memory copying
  - Avoid cache flushes
- Which pipe is important?
  - Operations in other pipes incur little or no runtime cost
- Saving operations or saving registers
  - How much register pressure can we handle, and still hide the latencies?
- How well are we using the caches
  - Are instructions spinning around the LS pipe waiting for data?

# OpenCL Tools and Support

- ARM OpenCL SDK available for download at [malideveloper.com](http://malideveloper.com)
  - Several OpenCL samples and benchmarks
- Debugging
  - Notoriously difficult to do with parallel programming
  - Serial programming paradigms don't apply
  - DS-5 Streamline compatible with OpenCL
  - Raw instrumentation output also available
  - Mali Graphics Debugger
  - Logs OpenGL ES and OpenCL API calls
  - Download from [malideveloper.com](http://malideveloper.com)
  - OpenCL v1.2 **printf** function implemented as an extension in v1.1

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# The Limiting Pipe

- Three hardware counters
  - Cycles active (#C)
  - Number of A instructions (#A)
  - Number of LS instructions (#LS)
- The goal
  - Similar values for #A and #LS → Both pipes used
  - $\text{Max}(\#A, \#LS)$  similar to #C → Limiting pipe used every cycle

- Example:

- $\#LS / \#A = 5$
- $\#LS / \#A = 1, \#C$  up by < 10%

$$\bar{y} = a\bar{x} + \bar{y}$$

$$\bar{y} = 0.05a\bar{x} + 0.05a\bar{x} + \dots + 0.05a\bar{x} + \bar{y}$$

# Cache Utilization

- The Load/Store pipe hides latency
  - Many threads active
- Not always successful
  - Insufficient parallelism
  - Bad cache utilization
  - Failing threads will be reissued
- Reissue is a sign of cache-misses
  - Instruction words issued
  - Instruction words completed
- Example
  - Inter-thread stride for memory accesses

# Execution Order

- Kernel saxpy
  - Load from x
  - Load from y
  - Compute
  - Store to y
- Execution order
  - Threads 1 through N load from x
  - Threads 1 through N load from y
  - Threads 1 through N compute
  - Threads 1 through N store to y
- How many bytes should we load per thread?

$$\bar{y} = a\bar{x} + \bar{y}$$

# A Single Instruction Word

- We should have one load instruction word
  - The next bytes will be picked up by the next thread
- Loading less is bad
  - Does not utilize the SIMD operations
- Loading more is bad
  - The next bytes will be loaded after all other threads have loaded their first
- Saxpy with different strides
  - 128 bits: 4.5 issues per instruction
  - 256 bits: 5.5 issues per instruction
  - 64 bytes: 9.3 issues per instruction

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# Know your bottleneck

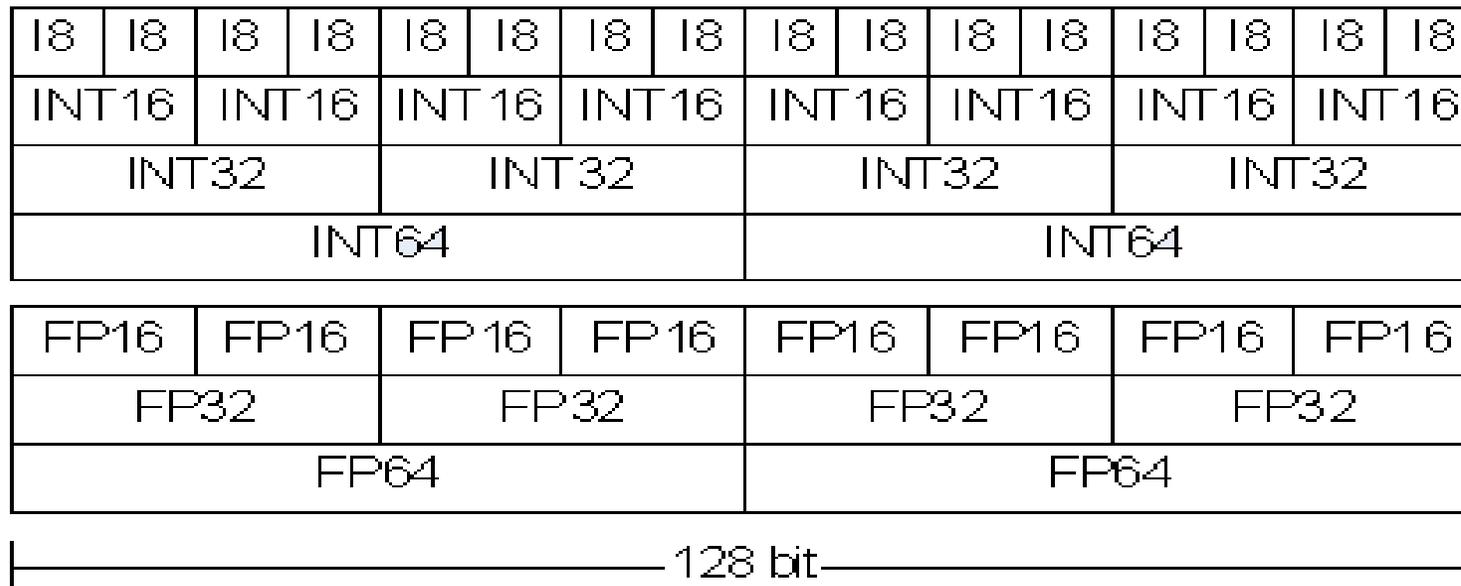
- Use vector operations
- If you are bandwidth-limited, merge kernels
  - Avoid reloading data
- If you are register-limited, split kernels
  - Easier for the compiler to do a good job
- If you are Load-Store-limited, do less load-store
  - Compute complex expressions instead of using lookup-tables
- If you are Arithmetic-limited, do less arithmetic
  - Tabulate functions
  - Use polynomial approximations instead of special functions

# Synchronization between threads

- Two options in OpenCL
  - Barriers inside a work-group
  - Atomics between work-groups
- We like atomics to ensure data consistency
  - But preferably on the same core
- Barriers can be useful to improve cache utilization
  - Limit divergence between threads
  - Keeping jobs small serves the same purpose
- We see examples of large jobs with many barriers
  - We often prefer small jobs with dependencies

# Vectorize your operations

- More components per operation
  - For basic arithmetic and memory operations
  - Square roots, trigonometry and atomics are scalar
- Fewer registers used
  - The compiler will only do part of the job



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- Laplace
- SGEMM

# OpenCL Laplace Case Study

- Laplace filters are typically used in image processing
  - ... often used for edge detection or image sharpening
  - and can be part of a computer vision filter chain
- This case study will go through a number of stages...
  - demonstrating a variety of optimization techniques
  - and showing the change in performance at each stage
- Our example will process and output 24-bit images
  - and we'll measure performance across a range of image sizes
- But first, a couple of images samples showing the effect of the filter we are using...

# OpenCL Laplace Case Study



Original

# OpenCL Laplace Case Study



**Filtered**

# OpenCL Laplace Case Study



Original

# OpenCL Laplace Case Study

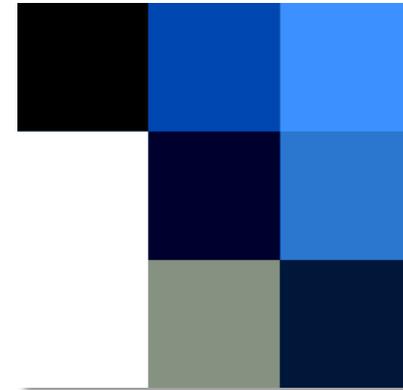


Filtered

# OpenCL Laplace Case Study



-1	-1	-1
-1	9	-1
-1	-1	-1



# OpenCL Laplace Case Study

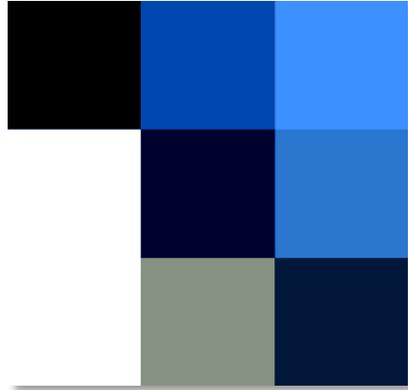
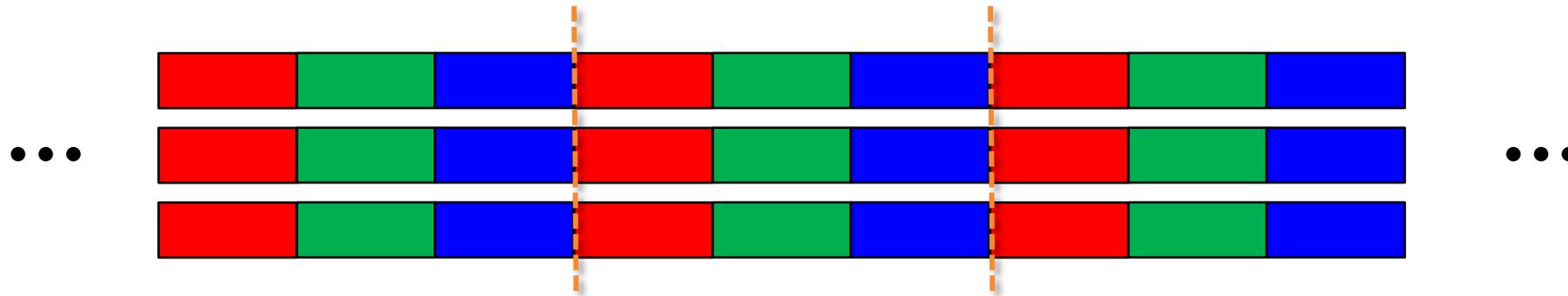


image "stride" = width x 3



# OpenCL Laplace Case Study

```
#define MAX(a,b) ((a)>(b)?(a):(b))
#define MIN(a,b) ((a)<(b)?(a):(b))

__kernel void math(__global unsigned char *pdst, __global unsigned char *psrc, int width, int height)
{
    int y      = get_global_id(0);
    int x      = get_global_id(1);
    int w      = width;
    int h      = height;
    int ind    = 0;
    int xBoundary = w - 2;
    int yBoundary = h - 2;

    if (x >= xBoundary || y >= yBoundary)
    {
        ind      = 3 * (x + w * y);
        pdst[ind] = psrc[ind];
        pdst[ind + 1] = psrc[ind + 1];
        pdst[ind + 2] = psrc[ind + 2];
        return;
    }

    int bColor = 0, gColor = 0, rColor = 0;
    ind      = 3 * (x + w * y);

    bColor = bColor - psrc[ind] - psrc[ind+3] - psrc[ind+6] - psrc[ind+3*w] + psrc[ind+3*(1+w)] * 9 -
             psrc[ind+3*(2+w)]- psrc[ind+3*2*w]- psrc[ind+3*(1+2*w)]- psrc[ind+3*(2+2*w)];
    gColor = gColor - psrc[ind+1] - psrc[ind+4] - psrc[ind+7] - psrc[ind+3*w+1] + psrc[ind+3*(1+w)+1] * 9 -
             psrc[ind+3*(2+w)+1]- psrc[ind+3*2*w+1]- psrc[ind+3*(1+2*w)+1]- psrc[ind+3*(2+2*w)+1];
    rColor = rColor - psrc[ind+2] - psrc[ind+5] - psrc[ind+8] - psrc[ind+3*w+2] + psrc[ind+3*(1+w)+2] * 9 -
             psrc[ind+3*(2+w)+2]- psrc[ind+3*2*w+2]- psrc[ind+3*(1+2*w)+2]- psrc[ind+3*(2+2*w)+2];

    unsigned char blue = (unsigned char)MAX(MIN(bColor, 255), 0);
    unsigned char green = (unsigned char)MAX(MIN(gColor, 255), 0);
    unsigned char red   = (unsigned char)MAX(MIN(rColor, 255), 0);
    ind      = 3 * (x + 1 + w * (y + 1));
    pdst[ind]      = blue;
    pdst[ind + 1] = green;
    pdst[ind + 2] = red;
}
```

# OpenCL Laplace Case Study

```
#define MAX(a,b) ((a)>(b)?(a):(b))  
#define MIN(a,b) ((a)<(b)?(a):(b))
```

```
__kernel void math(__global unsigned char *pdst, __global unsigned char *psrc, int width, int height)
```

```
{  
    int y      = get_global_id(0);  
    int x      = get_global_id(1);  
    int w      = width;  
    int h      = height;  
    int ind    = 0;  
    int xBoundary = w - 2;  
    int yBoundary = h - 2;
```

```
    if (x >= xBoundary || y >= yBoundary)
```

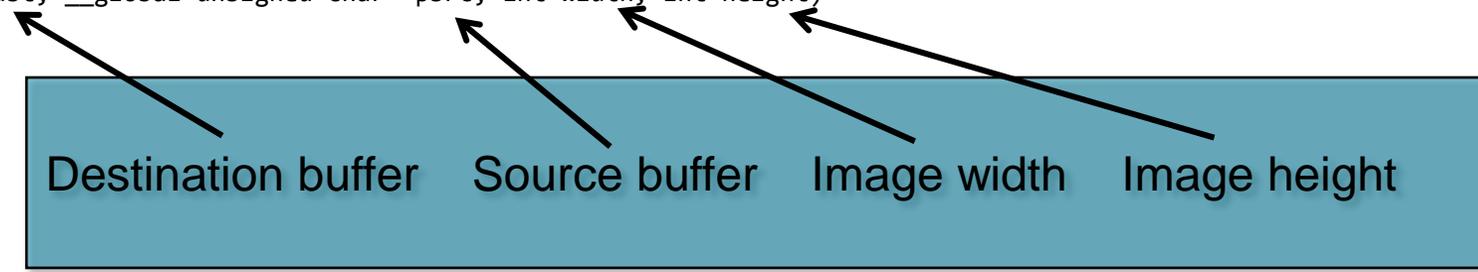
```
    {  
        ind      = 3 * (x + w * y);  
        pdst[ind] = psrc[ind];  
        pdst[ind + 1] = psrc[ind + 1];  
        pdst[ind + 2] = psrc[ind + 2];  
        return;  
    }
```

```
    int bColor = 0, gColor = 0, rColor = 0;  
    ind      = 3 * (x + w * y);
```

```
    bColor = bColor - psrc[ind] - psrc[ind+3] - psrc[ind+6] - psrc[ind+3*w] + psrc[ind+3*(1+w)] * 9 -  
             psrc[ind+3*(2+w)] - psrc[ind+3*2*w] - psrc[ind+3*(1+2*w)] - psrc[ind+3*(2+2*w)];  
    gColor = gColor - psrc[ind+1] - psrc[ind+4] - psrc[ind+7] - psrc[ind+3*w+1] + psrc[ind+3*(1+w)+1] * 9 -  
             psrc[ind+3*(2+w)+1] - psrc[ind+3*2*w+1] - psrc[ind+3*(1+2*w)+1] - psrc[ind+3*(2+2*w)+1];  
    rColor = rColor - psrc[ind+2] - psrc[ind+5] - psrc[ind+8] - psrc[ind+3*w+2] + psrc[ind+3*(1+w)+2] * 9 -  
             psrc[ind+3*(2+w)+2] - psrc[ind+3*2*w+2] - psrc[ind+3*(1+2*w)+2] - psrc[ind+3*(2+2*w)+2];
```

```
    unsigned char blue = (unsigned char)MAX(MIN(bColor, 255), 0);  
    unsigned char green = (unsigned char)MAX(MIN(gColor, 255), 0);  
    unsigned char red = (unsigned char)MAX(MIN(rColor, 255), 0);  
    ind      = 3 * (x + 1 + w * (y + 1));  
    pdst[ind]      = blue;  
    pdst[ind + 1] = green;  
    pdst[ind + 2] = red;
```

```
}
```



Destination buffer    Source buffer    Image width    Image height

# OpenCL Laplace Case Study

```
#define MAX(a,b) ((a)>(b)?(a):(b))
#define MIN(a,b) ((a)<(b)?(a):(b))

__kernel void math(__global unsigned char *pdst, __global unsigned char *psrc, int width, int height)
{
    int y      = get_global_id(0);
    int x      = get_global_id(1);
    int w      = width;
    int h      = height;
    int ind    = 0;
    int xBoundary = w - 2;
    int yBoundary = h - 2;

    if (x >= xBoundary || y >= yBoundary)
    {
        ind      = 3 * (x + w * y);
        pdst[ind] = psrc[ind];
        pdst[ind + 1] = psrc[ind + 1];
        pdst[ind + 2] = psrc[ind + 2];
        return;
    }

    int bColor = 0, gColor = 0, rColor = 0;
    ind      = 3 * (x + w * y);

    bColor = bColor - psrc[ind] - psrc[ind+3] - psrc[ind+6] - psrc[ind+3*w] + psrc[ind+3*(1+w)] * 9 -
             psrc[ind+3*(2+w)]- psrc[ind+3*2*w]- psrc[ind+3*(1+2*w)]- psrc[ind+3*(2+2*w)];
    gColor = gColor - psrc[ind+1] - psrc[ind+4] - psrc[ind+7] - psrc[ind+3*w+1] + psrc[ind+3*(1+w)+1] * 9 -
             psrc[ind+3*(2+w)+1]- psrc[ind+3*2*w+1]- psrc[ind+3*(1+2*w)+1]- psrc[ind+3*(2+2*w)+1];
    rColor = rColor - psrc[ind+2] - psrc[ind+5] - psrc[ind+8] - psrc[ind+3*w+2] + psrc[ind+3*(1+w)+2] * 9 -
             psrc[ind+3*(2+w)+2]- psrc[ind+3*2*w+2]- psrc[ind+3*(1+2*w)+2]- psrc[ind+3*(2+2*w)+2];

    unsigned char blue = (unsigned char)MAX(MIN(bColor, 255), 0);
    unsigned char green = (unsigned char)MAX(MIN(gColor, 255), 0);
    unsigned char red = (unsigned char)MAX(MIN(rColor, 255), 0);
    ind      = 3 * (x + 1 + w * (y + 1));
    pdst[ind]      = blue;
    pdst[ind + 1] = green;
    pdst[ind + 2] = red;
}
```

Boundary checking... ideally we don't want to calculate for values at the right and bottom edges.  
(But this might not be the best place to handle this.)

# OpenCL Laplace Case Study

```
#define MAX(a,b) ((a)>(b)?(a):(b))
#define MIN(a,b) ((a)<(b)?(a):(b))

__kernel void math(__global unsigned char *pdst, __global unsigned char *psrc, int width, int height)
{
    int y      = get_global_id(0);
    int x      = get_global_id(1);
    int w      = width;
    int h      = height;
    int ind    = 0;
    int xBoundary = w - 2;
    int yBoundary = h - 2;

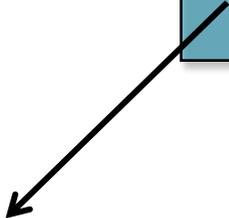
    if (x >= xBoundary || y >= yBoundary)
    {
        ind      = 3 * (x + w * y);
        pdst[ind] = psrc[ind];
        pdst[ind + 1] = psrc[ind + 1];
        pdst[ind + 2] = psrc[ind + 2];
        return;
    }

    int bColor = 0, gColor = 0, rColor = 0;
    ind      = 3 * (x + w * y);

    bColor = bColor - psrc[ind] - psrc[ind+3] - psrc[ind+6] - psrc[ind+3*w] + psrc[ind+3*(1+w)] * 9 -
             psrc[ind+3*(2+w)]- psrc[ind+3*2*w]- psrc[ind+3*(1+2*w)]- psrc[ind+3*(2+2*w)];
    gColor = gColor - psrc[ind+1] - psrc[ind+4] - psrc[ind+7] - psrc[ind+3*w+1] + psrc[ind+3*(1+w)+1] * 9 -
             psrc[ind+3*(2+w)+1]- psrc[ind+3*2*w+1]- psrc[ind+3*(1+2*w)+1]- psrc[ind+3*(2+2*w)+1];
    rColor = rColor - psrc[ind+2] - psrc[ind+5] - psrc[ind+8] - psrc[ind+3*w+2] + psrc[ind+3*(1+w)+2] * 9 -
             psrc[ind+3*(2+w)+2]- psrc[ind+3*2*w+2]- psrc[ind+3*(1+2*w)+2]- psrc[ind+3*(2+2*w)+2];

    unsigned char blue = (unsigned char)MAX(MIN(bColor, 255), 0);
    unsigned char green = (unsigned char)MAX(MIN(gColor, 255), 0);
    unsigned char red   = (unsigned char)MAX(MIN(rColor, 255), 0);
    ind      = 3 * (x + 1 + w * (y + 1));
    pdst[ind]      = blue;
    pdst[ind + 1] = green;
    pdst[ind + 2] = red;
}
```

The main calculation... we need to perform this for the red, green and blue color components...



# OpenCL Laplace Case Study

```
#define MAX(a,b) ((a)>(b)?(a):(b))
#define MIN(a,b) ((a)<(b)?(a):(b))

__kernel void math(__global unsigned char *pdst, __global unsigned char *psrc, int width, int height)
{
    int y      = get_global_id(0);
    int x      = get_global_id(1);
    int w      = width;
    int h      = height;
    int ind    = 0;
    int xBoundary = w - 2;
    int yBoundary = h - 2;

    if (x >= xBoundary || y >= yBoundary)
    {
        ind      = 3 * (x + w * y);
        pdst[ind] = psrc[ind];
        pdst[ind + 1] = psrc[ind + 1];
        pdst[ind + 2] = psrc[ind + 2];
        return;
    }

    int bColor = 0, gColor = 0, rColor = 0;
    ind      = 3 * (x + w * y);

    bColor = bColor - psrc[ind] - psrc[ind+3] - psrc[ind+6] - psrc[ind+3*w] + psrc[ind+3*(1+w)] * 9 -
             psrc[ind+3*(2+w)] - psrc[ind+3*2*w] - psrc[ind+3*(1+2*w)] - psrc[ind+3*(2+2*w)];
    gColor = gColor - psrc[ind+1] - psrc[ind+4] - psrc[ind+7] - psrc[ind+3*w+1] + psrc[ind+3*(1+w)+1] * 9 -
             psrc[ind+3*(2+w)+1] - psrc[ind+3*2*w+1] - psrc[ind+3*(1+2*w)+1] - psrc[ind+3*(2+2*w)+1];
    rColor = rColor - psrc[ind+2] - psrc[ind+5] - psrc[ind+8] - psrc[ind+3*w+2] + psrc[ind+3*(1+w)+2] * 9 -
             psrc[ind+3*(2+w)+2] - psrc[ind+3*2*w+2] - psrc[ind+3*(1+2*w)+2] - psrc[ind+3*(2+2*w)+2];

    unsigned char blue = (unsigned char)MAX(MIN(bColor, 255), 0);
    unsigned char green = (unsigned char)MAX(MIN(gColor, 255), 0);
    unsigned char red   = (unsigned char)MAX(MIN(rColor, 255), 0);
    ind      = 3 * (x + 1 + w * (y + 1));
    pdst[ind]      = blue;
    pdst[ind + 1] = green;
    pdst[ind + 2] = red;
}
```

Finally we clamp the results to make sure they lie between 0 and 255... and then write out to the destination...

# OpenCL Laplace Case Study

- Results

Image	Pixels	Time (s)
768 x 432	331,776	0.0107
2560 x 1600	4,096,000	0.0850
2048 x 2048	4,194,304	0.0865
5760 x 3240	18,662,400	0.382
7680 x 4320	33,177,600	0.680

Mali T604 @ 533MHz

CPU
0.0229 <b>x0.5</b>
0.125 <b>x0.7</b>
0.128 <b>x0.7</b>
0.572 <b>x0.7</b>
1.02 <b>x0.7</b>

Single A15 @ 1.7GHz

# OpenCL Laplace Case Study

Use the offline compiler `mali_clcc` to analyse the kernel

```
psg@psg-mali:~/laplace# mali_clcc -v laplace.cl
```

```
Entry point: __llvm2lir_entry_math
```

```
8 work registers used, 8 uniform registers used
```

```
Pipelines:                A / L / T / Overall
```

```
Number of instruction words emitted: 54 +31 + 0 = 85
```

```
Number of cycles for shortest code path: 3 / 4 / 0 = 4 (L bound)
```

```
Number of cycles for longest code path: 25.5 /28 / 0 = 28 (L bound)
```

```
Note: The cycle counts do not include possible stalls due to cache misses.
```

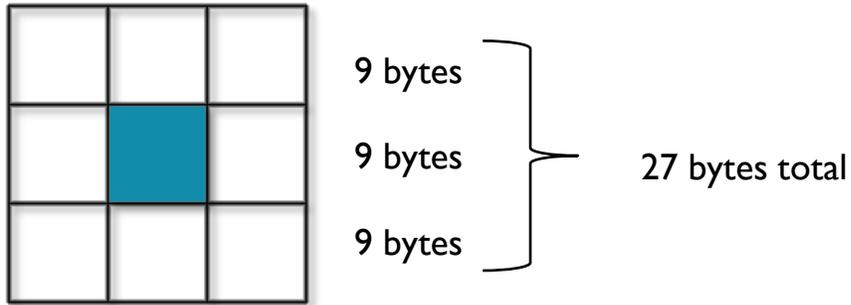
# OpenCL Laplace Case Study: Optimisation I

- Replace the data fetch (`= psrc[index]`) with `vloadN`
  - Each `vload16` can load 5 pixels at a time (at 3 bytes-per-pixel)
  - This load should complete in a single cycle
- Perform the Laplace calculation as a vector calculation
  - Then Mali works on all 5 pixels at once
- Replace the data store (`pdst[index] =` ) with `vstoreN`
  - Allows us to write out multiple values at a time
  - Need to be careful to only output 15 bytes (3 pixels)
- As we'll be running 5 times fewer work items, we'll need to update the `globalWorkSize` values...

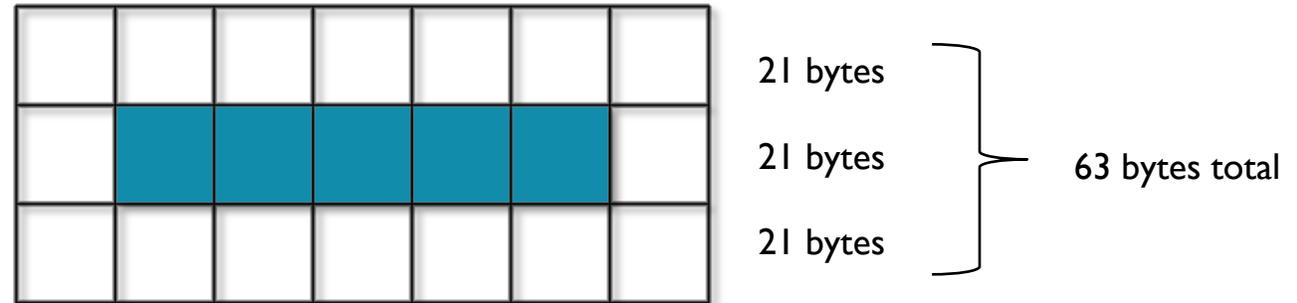
```
globalWorkSize[0] = image_height;  
globalWorkSize[1] = (image_width / 5);
```

# OpenCL Laplace Case Study

From processing 1 pixel...



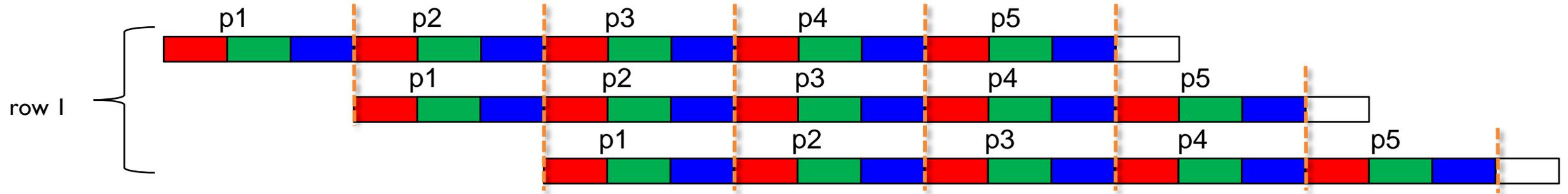
...to processing 5 pixels...



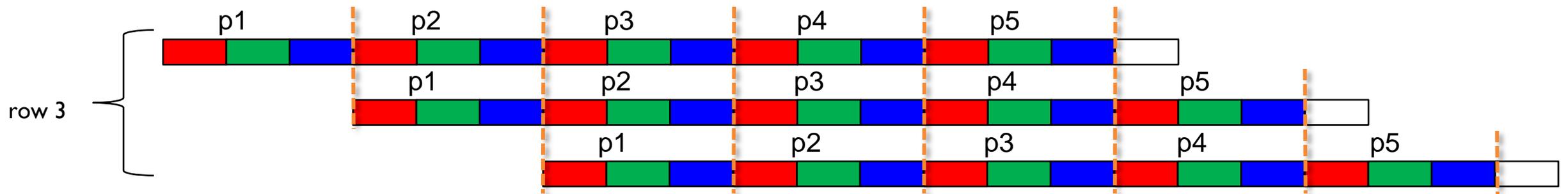
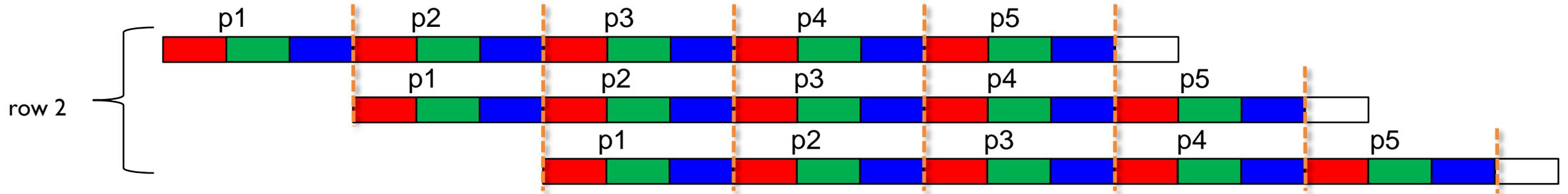
But we would like to load this data in a way that allows us to efficiently calculate the results in a single vector calculation...

# OpenCL Laplace Case Study

3 x overlapping, 16-byte reads from row 1 (vload16)...

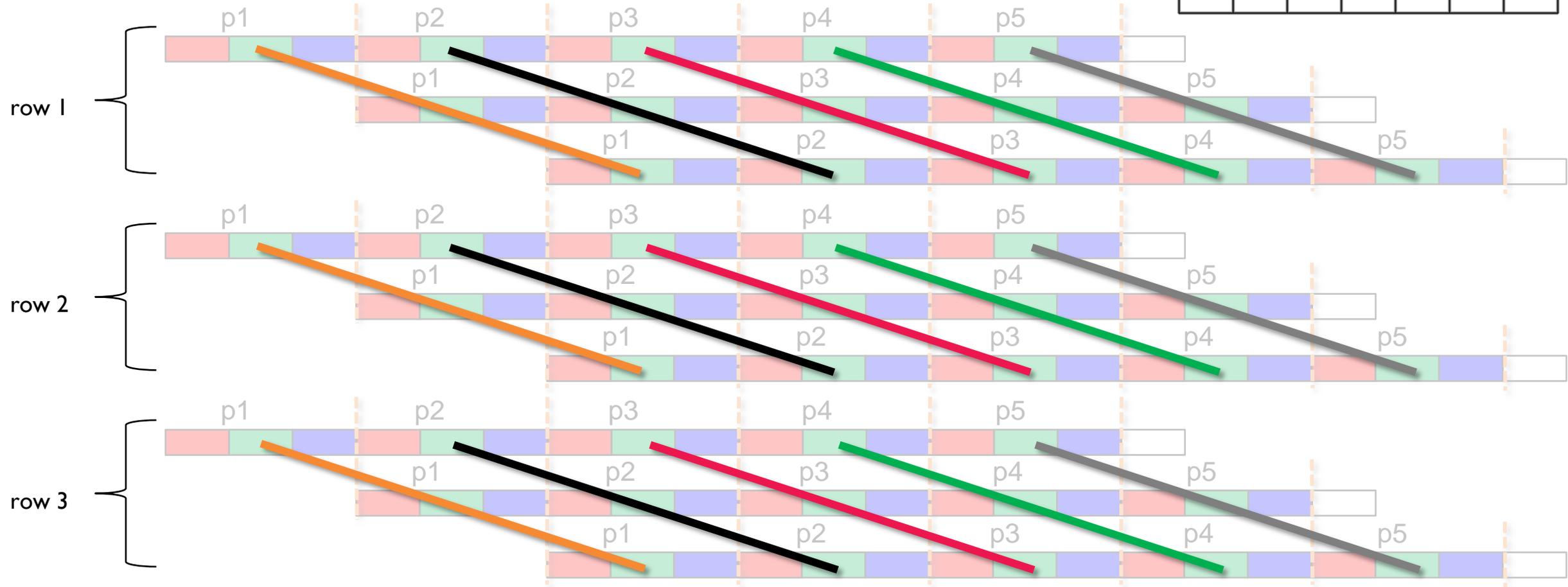
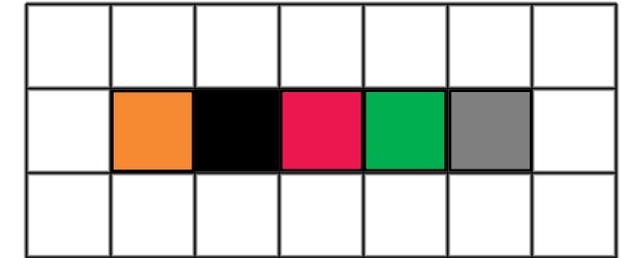


And the same for rows 2 and 3...



# OpenCL Laplace Case Study

The five pixels can then be computed as follows...



# OpenCL Laplace Case Study

```
__kernel void math(__global unsigned char *pdst, __global unsigned char *psrc, int width, int height)
{
    int y      = get_global_id(0);
    int x      = get_global_id(1);
    int w      = width;
    int h      = height;
    int ind    = x * 5 * 3 + w * y * 3;

    uchar16 row1a_ = vload16(0, psrc + ind);
    uchar16 row1b_ = vload16(0, psrc + ind + 3);
    uchar16 row1c_ = vload16(0, psrc + ind + 6);
    uchar16 row2a_ = vload16(0, psrc + ind + (w * 3));
    uchar16 row2b_ = vload16(0, psrc + ind + (w * 3) + 3);
    uchar16 row2c_ = vload16(0, psrc + ind + (w * 3) + 6);
    uchar16 row3a_ = vload16(0, psrc + ind + (w * 6));
    uchar16 row3b_ = vload16(0, psrc + ind + (w * 6) + 3);
    uchar16 row3c_ = vload16(0, psrc + ind + (w * 6) + 6);

    int16 row1a = convert_int16(row1a_);
    int16 row1b = convert_int16(row1b_);
    int16 row1c = convert_int16(row1c_);
    int16 row2a = convert_int16(row2a_);
    int16 row2b = convert_int16(row2b_);
    int16 row2c = convert_int16(row2c_);
    int16 row3a = convert_int16(row3a_);
    int16 row3b = convert_int16(row3b_);
    int16 row3c = convert_int16(row3c_);

    int16 res = (int)0 - row1a - row1b - row1c - row2a - row2b * (int)9 - row2c - row3a - row3b - row3c;
    res = clamp(res, (int16)0, (int16)255);
    uchar16 res_row = convert_uchar16(res);

    vstore8(res_row.s01234567, 0, pdst + ind);
    vstore4(res_row.s89ab, 0, pdst + ind + 8);
    vstore2(res_row.scd, 0, pdst + ind + 12);
    pdst[ind + 14] = res_row.se;
}
```

Parameter 3 now refers to the width of the image / 5.

3 overlapping 16-byte reads for each of the 3 rows (5 pixels-worth in each read)

Convert each 16-byte uchar vector to int16 vectors

# OpenCL Laplace Case Study

```
__kernel void math(__global unsigned char *pdst, __global unsigned char *psrc, int width, int height)
{
    int y      = get_global_id(0);
    int x      = get_global_id(1);
    int w      = width;
    int h      = height;
    int ind    = x * 5 * 3 + w * y * 3;

    uchar16 row1a_ = vload16(0, psrc + ind);
    uchar16 row1b_ = vload16(0, psrc + ind + 3);
    uchar16 row1c_ = vload16(0, psrc + ind + 6);
    uchar16 row2a_ = vload16(0, psrc + ind + (w * 3));
    uchar16 row2b_ = vload16(0, psrc + ind + (w * 3) + 3);
    uchar16 row2c_ = vload16(0, psrc + ind + (w * 3) + 6);
    uchar16 row3a_ = vload16(0, psrc + ind + (w * 6));
    uchar16 row3b_ = vload16(0, psrc + ind + (w * 6) + 3);
    uchar16 row3c_ = vload16(0, psrc + ind + (w * 6) + 6);

    int16 row1a = convert_int16(row1a_);
    int16 row1b = convert_int16(row1b_);
    int16 row1c = convert_int16(row1c_);
    int16 row2a = convert_int16(row2a_);
    int16 row2b = convert_int16(row2b_);
    int16 row2c = convert_int16(row2c_);
    int16 row3a = convert_int16(row3a_);
    int16 row3b = convert_int16(row3b_);
    int16 row3c = convert_int16(row3c_);

    int16 res = (int)0 - row1a - row1b - row1c - row2a - row2b * (int)9 - row2c - row3a - row3b - row3c;
    res = clamp(res, (int16)0, (int16)255);
    uchar16 res_row = convert_uchar16(res);

    vstore8(res_row.s01234567, 0, pdst + ind);
    vstore4(res_row.s89ab, 0, pdst + ind + 8);
    vstore2(res_row.scd, 0, pdst + ind + 12);
    pdst[ind + 14] = res_row.se;
}
```

Perform the Laplace calculation  
on all five pixels at once  
Then clamp the values between  
0 and 255 (using the BIFL!)

Convert back to uchar16...  
and then write 5 pixels to  
destination buffer

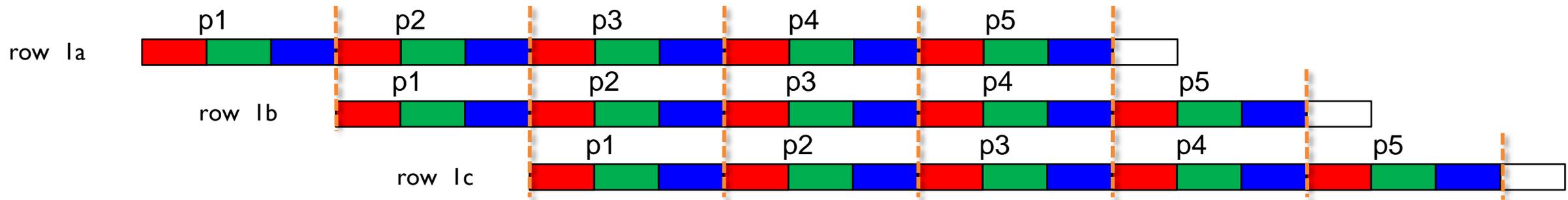
# OpenCL Laplace Case Study

## ■ Vectorization Results

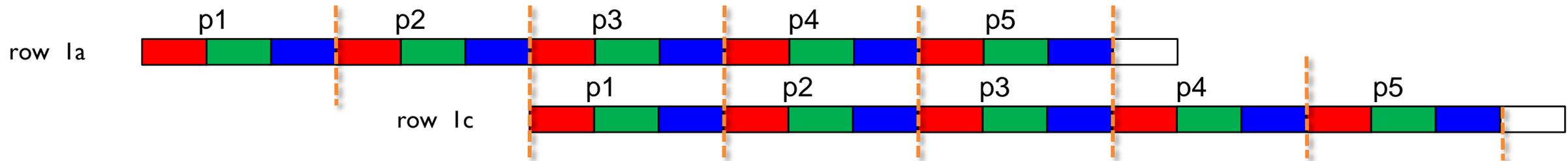
Image	Pixels	Original	Opt I
768 x 432	331,776	0.0107	x1.4
2560 x 1600	4,096,000	0.0850	x4.5
2048 x 2048	4,194,304	0.0865	x1.7
5760 x 3240	18,662,400	0.382	x6.0
7680 x 4320	33,177,600	0.680	x6.2
	Work registers:	8	8+
	ALU cycles:	25.5	22.5
	L/S cycles:	28	13

# OpenCL Laplace Case Study: Optimisation 2

- We can reduce the number of loads
  - by synthesizing the middle vector row from the left and right rows...



becomes...



$$\text{row lb} \leftarrow \text{row la}(p2, p3, p4, p5) + \text{row lc}(p6)$$

# OpenCL Laplace Case Study: Optimisation 2

- We can reduce the number of loads
  - by synthesizing the middle vector row from the left and right rows...

```
uchar16 row1a_ = vload16(0, psrc + ind);
uchar16 row1b_ = vload16(0, psrc + ind + 3);
uchar16 row1c_ = vload16(0, psrc + ind + 6);
uchar16 row2a_ = vload16(0, psrc + ind + (w * 3));
uchar16 row2b_ = vload16(0, psrc + ind + (w * 3) + 3);
uchar16 row2c_ = vload16(0, psrc + ind + (w * 3) + 6);
uchar16 row3a_ = vload16(0, psrc + ind + (w * 6));
uchar16 row3b_ = vload16(0, psrc + ind + (w * 6) + 3);
uchar16 row3c_ = vload16(0, psrc + ind + (w * 6) + 6);
```

becomes...

```
uchar16 row1a_ = vload16(0, psrc + ind);
uchar16 row1c_ = vload16(0, psrc + ind + 6);
uchar16 row1b_ = (uchar16)(row1a_.s3456789a, row1c_.s56789abc);
uchar16 row2a_ = vload16(0, psrc + ind + (w * 3));
uchar16 row2c_ = vload16(0, psrc + ind + (w * 3) + 6);
uchar16 row2b_ = (uchar16)(row2a_.s3456789a, row2c_.s56789abc);
uchar16 row3a_ = vload16(0, psrc + ind + (w * 6));
uchar16 row3c_ = vload16(0, psrc + ind + (w * 6) + 6);
uchar16 row3b_ = (uchar16)(row3a_.s3456789a, row3c_.s56789abc);
```

# OpenCL Laplace Case Study

- Synthesize Loads Results

Image	Pixels	Original	Opt 1	Opt 2
768 x 432	331,776	0.0107	x1.4	x1.4
2560 x 1600	4,096,000	0.0850	x4.5	x4.5
2048 x 2048	4,194,304	0.0865	x1.7	x2.0
5760 x 3240	18,662,400	0.382	x6.0	x6.0
7680 x 4320	33,177,600	0.680	x6.2	x6.3
Work registers:		8	8+	8
ALU cycles:		25.5	22.5	24.5
L/S cycles:		28	13	8

Vectorize

Synth. loads

# OpenCL Laplace Case Study: Optimisation 3

- Use short16 instead of int16
  - smaller register use allows for a larger CL\_KERNEL\_WORK\_GROUP\_SIZE available for kernel execution

```
int16 row1a    = convert_int16(row1a_);
int16 row1b    = convert_int16(row1b_);
int16 row1c    = convert_int16(row1c_);
int16 row2a    = convert_int16(row2a_);
int16 row2b    = convert_int16(row2b_);
int16 row2c    = convert_int16(row2c_);
int16 row3a    = convert_int16(row3a_);
int16 row3b    = convert_int16(row3b_);
int16 row3c    = convert_int16(row3c_);

int16 res      = (int)0 - row1a - row1b - row1c - row2a - row2b * (int)9 - row2c - row3a - row3b - row3c;
res            = clamp(res, (int16)0, (int16)255);
uchar16 res_row = convert_uchar16(res);
```

becomes...

```
short16 row1a  = convert_short16(row1a_);
short16 row1b  = convert_short16(row1b_);
short16 row1c  = convert_short16(row1c_);
short16 row2a  = convert_short16(row2a_);
short16 row2b  = convert_short16(row2b_);
short16 row2c  = convert_short16(row2c_);
short16 row3a  = convert_short16(row3a_);
short16 row3b  = convert_short16(row3b_);
short16 row3c  = convert_short16(row3c_);

short16 res    = (short)0 - row1a - row1b - row1c - row2a - row2b * (short)9 - row2c - row3a - row3b - row3c;
res           = clamp(res, (short16)0, (short16)255);
uchar16 res_row = convert_uchar16(res);
```

# OpenCL Laplace Case Study

- Using Short Ints Results

Image	Pixels	Original	Vectorize		Shorts
			Opt 1	Opt 2	
768 x 432	331,776	0.0107	x1.4	x1.4	x1.5
2560 x 1600	4,096,000	0.0850	x4.5	x4.5	x6.2
2048 x 2048	4,194,304	0.0865	x1.7	x2.0	x1.9
5760 x 3240	18,662,400	0.382	x6.0	x6.0	x8.5
7680 x 4320	33,177,600	0.680	x6.2	x6.3	x9.0
Work registers:		8	8+	8	7
ALU cycles:		25.5	22.5	24.5	13.5
L/S cycles:		28	13	8	9

# OpenCL Laplace Case Study: Optimisation 4

- Try 4-pixels per work-item rather than 5
  - With some image sizes perhaps the driver can optimize more efficiently when 4 pixels are being calculated

```
__kernel void math(__global unsigned char *pdst, __global unsigned char *psrc, int width, int height)
{
    int y      = get_global_id(0);
    int x      = get_global_id(1);
    int w      = width;
    int h      = height;
    int ind    = x * 5 * 3 + w * y * 3;

    ...
}
```

becomes...

```
__kernel void math(__global unsigned char *pdst, __global unsigned char *psrc, int width, int height)
{
    int y      = get_global_id(0);
    int x      = get_global_id(1);
    int w      = width;
    int h      = height;
    int ind    = x * 4 * 3 + w * y * 3;

    ...
}
```

# OpenCL Laplace Case Study

- And our data write out becomes simpler...

...

```
vstore8(res_row.s01234567, 0, pdst + ind);  
vstore4(res_row.s89ab, 0, pdst + ind + 8);  
vstore2(res_row.scd, 0, pdst + ind + 12);  
pdst[ind + 14] = res_row.se;
```

becomes...

...

```
vstore8(res_row.s01234567, 0, pdst + ind);  
vstore4(res_row.s89ab, 0, pdst + ind + 8);
```

- ...and we need to adjust the setup code to adjust the work-item count.

# OpenCL Laplace Case Study

- Computing 4 Pixels Results

Image	Pixels	Original	Opt 1	Opt 2	Opt 3	Opt 4
768 x 432	331,776	0.0107	x1.4	x1.4	x1.5	x1.6
2560 x 1600	4,096,000	0.0850	x4.5	x4.5	x6.2	x5.2
2048 x 2048	4,194,304	0.0865	x1.7	x2.0	x1.9	x5.3
5760 x 3240	18,662,400	0.382	x6.0	x6.0	x8.5	x7.2
7680 x 4320	33,177,600	0.680	x6.2	x6.3	x9.0	x7.5
Work registers:	8	8	8+	8	7	6
ALU cycles:	25.5	25.5	22.5	24.5	13.5	14
L/S cycles:	28	13	13	8	9	6

Vectorize

Synth. loads

Shorts

4 Pixels

# OpenCL Laplace Case Study: Optimisation 5

- How about 8 pixels per work-item?

# OpenCL Laplace Case Study

```
__kernel void math(__global unsigned char *pdst, __global unsigned char *psrc, int w, int h)
{
    const int y      = get_global_id(0);
    const int x      = get_global_id(1) * 8;
    int      ind     = (x + w * y) * 3;
    short16  acc_xy;
    short8   acc_z;

    uchar16 l_0     = vload16(0, psrc + ind);
    uchar16 r_0     = vload16(0, psrc + ind + 14);
    short16 a_xy_0  = convert_short16((uchar16)(l_0.s0123456789abcdef));
    short8  a_z_0   = convert_short8((uchar8)(r_0.s23456789));
    short16 b_xy_0  = convert_short16((uchar16)(l_0.s3456789a, l_0.sbcde, r_0.s1234));
    short8  b_z_0   = convert_short8((uchar8)(r_0.s56789abc));
    short16 c_xy_0  = convert_short16((uchar16)(l_0.s6789abcd, r_0.s01234567));
    short8  c_z_0   = convert_short8((uchar8)(r_0.s89abcdef));
    acc_xy  = -a_xy_0 - b_xy_0 - c_xy_0;
    acc_z   = -a_z_0 - b_z_0 - c_z_0;

    uchar16 l_1     = vload16(0, psrc + ind + (w * 3));
    uchar16 r_1     = vload16(0, psrc + ind + (w * 3) + 14);
    short16 a_xy_1  = convert_short16((uchar16)(l_1.s0123456789abcdef));
    short8  a_z_1   = convert_short8((uchar8)(r_1.s23456789));
    short16 b_xy_1  = convert_short16((uchar16)(l_1.s3456789a, l_0.sbcde, r_0.s1234));
    short8  b_z_1   = convert_short8((uchar8)(r_1.s56789abc));
    short16 c_xy_1  = convert_short16((uchar16)(l_1.s6789abcd, r_0.s01234567));
    short8  c_z_1   = convert_short8((uchar8)(r_1.s89abcdef));
    acc_xy  = -a_xy_1 + b_xy_1 * (short)9 - c_xy_1;
    acc_z   += -a_z_1 + b_z_1 * (short)9 - c_z_1;

    uchar16 l_2     = vload16(0, psrc + ind + (w * 6));
    uchar16 r_2     = vload16(0, psrc + ind + (w * 6) + 14);
    short16 a_xy_2  = convert_short16((uchar16)(l_2.s0123456789abcdef));
    short8  a_z_2   = convert_short8((uchar8)(r_2.s23456789));
    short16 b_xy_2  = convert_short16((uchar16)(l_2.s3456789a, l_0.sbcde, r_0.s1234));
    short8  b_z_2   = convert_short8((uchar8)(r_2.s56789abc));
    short16 c_xy_2  = convert_short16((uchar16)(l_2.s6789abcd, r_0.s01234567));
    short8  c_z_2   = convert_short8((uchar8)(r_2.s89abcdef));
    acc_xy  += -a_xy_2 - b_xy_2 - c_xy_2;
    acc_z   += -a_z_2 - b_z_2 - c_z_2;

    short16 res_xy = clamp(acc_xy, (short16)0, (short16)255);
    short8  res_z  = clamp(acc_z, (short8)0, (short8)255);

    vstore16(convert_uchar16(res_xy), 0, pdst + ind);
    vstore8(convert_uchar8(res_z), 0, pdst + ind + 16);
}
```

# OpenCL Laplace Case Study

- Computing 8 Pixels: Results

Image	Pixels	Original	<i>Vectorize</i> Opt 1	<i>Synth. loads</i> Opt 2	<i>Shorts</i> Opt 3	<i>4 Pixels</i> Opt 4	<i>8 Pixels</i> Opt 5
768 x 432	331,776	0.0107	x1.4	x1.4	x1.5	x1.6	x1.2
2560 x 1600	4,096,000	0.0850	x4.5	x4.5	x6.2	x5.2	x5.6
2048 x 2048	4,194,304	0.0865	x1.7	x2.0	x1.9	x5.3	x5.8
5760 x 3240	18,662,400	0.382	x6.0	x6.0	x8.5	x7.2	x8.4
7680 x 4320	33,177,600	0.680	x6.2	x6.3	x9.0	x7.5	x9.1
Work registers:	8	8	8+	8	7	6	8+
ALU cycles:	25.5	25.5	22.5	24.5	13.5	14	24
L/S cycles:	28	28	13	8	9	6	11

# OpenCL Laplace Case Study: Summary

- **Original version: Scalar code**
- **Optimisation 1: Vectorize**
  - Process 5 pixels per work-item
  - Vector loads (`vloadn`) and vector stores (`vstoren`)
  - Much better use of the GPU ALU: Up to **x6.2** performance increase
- **Optimisation 2: Synthesised loads**
  - Reduce the number of loads by synthesising values
  - Performance increase: up to **x6.3** over original
- **Optimisation 3: Replace `int16` with `short16`**
  - Reduces the kernel register count
  - Performance increase: up to **x9.0** over original
- **Optimisation 4: Try 4 pixels per work-item rather than 5**
  - Performance increase: up to **x7.5** over original
  - but it depends on the image size
- **Optimisation 5: Try 8 pixels per work-item**
  - Performance increase: up to **x9.1** over original... but a mixed bag.

# Agenda

Introduction to Mali GPUs

Mali-T600 / T700 Compute Overview

Optimal OpenCL for Mali-T600 / T700

OpenCL Optimization Case Studies

- Laplace
- **SGEMM**

# SGEMM: Preface

- Question from a developer sent to [malidevelopers@arm.com](mailto:malidevelopers@arm.com)...
  - Running SGEMM on 1024x1024 matrices on a Chromebook (Dual A15, Mali-T604)
  - Takes ~3s on the CPU
  - Takes ~84s using OpenCL on the GPU
- Initial analysis from ARM Developer Relations engineers...
  - Error found in the DVFS implementation of the device used
  - Working around this reduced the time to ~12s
  - Further analysis showed how susceptible SGEMM is to workgroup size
  - And some analysis showed benefits in pre-transposing matrix on the CPU
  - With some experimentation in LWS, time reduced to ~2.5s on GPU

# SGEMM: The task

- Input: Matrices A, B, C (assumed to be nxn square matrices) and constants alpha, beta
- Task:  $C = \alpha AB + \beta C$
- In terms of matrix elements:  $C_{ij} = \alpha \sum_{k=0}^{N-1} A_{ik} B_{kj} + \beta C_{ij}$
- Naive implementation:

```
__kernel void sgemm(__global float *A, __global float *B, __global float *C,  
                  float alpha, float beta, int n)  
{  
    float sum = 0.0;  
    for (int k=0; k<n; k++) { sum += A[i*n+k]*B[k*n+j]; }  
    C[i*n+j] = alpha*sum + beta*C[i*n+j];  
}
```

# Transposition

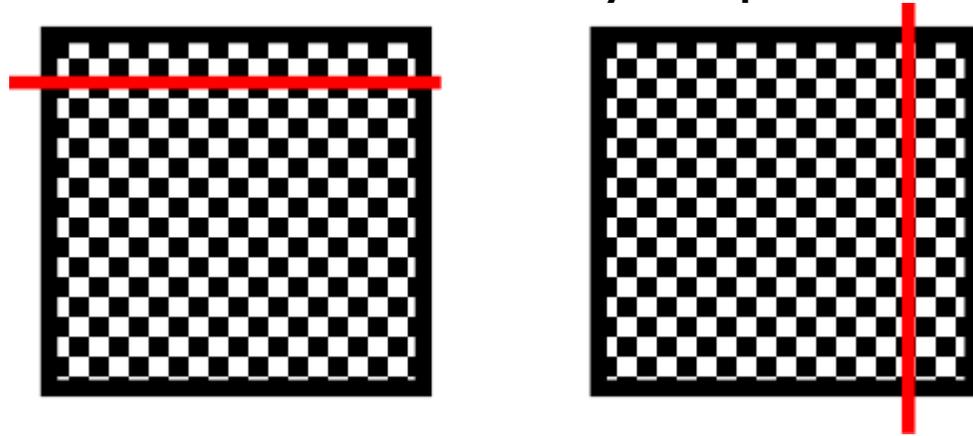
- We could transpose B before the computation, and implement the kernel

$$C_{ij} = \alpha \sum_{k=0}^{N-1} A_{ik} (B^T)_{jk} + \beta C_{ij}$$

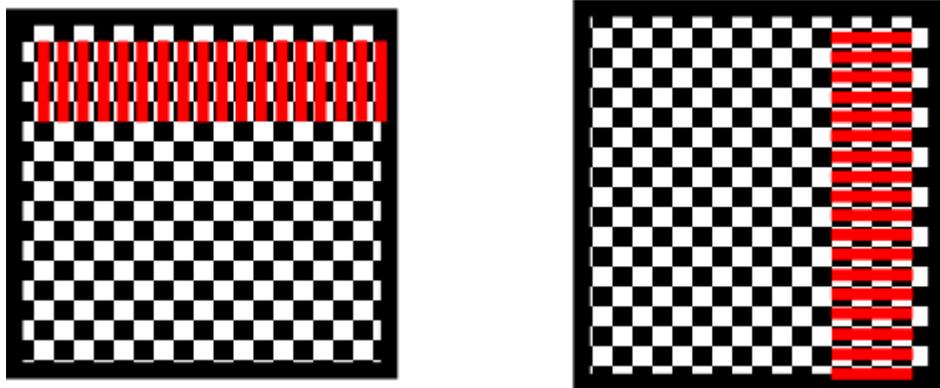
- We now have two kernels
  - One kernel for the transposition
  - One kernel for the matrix multiplication
  - Runtime is dominated by the multiplication
- On the Midgard architecture, there generally an advantage to adding a transposition.
- [List advantages of transposition]

# Execution order, without transposition

- In program order, we have a very simple access pattern

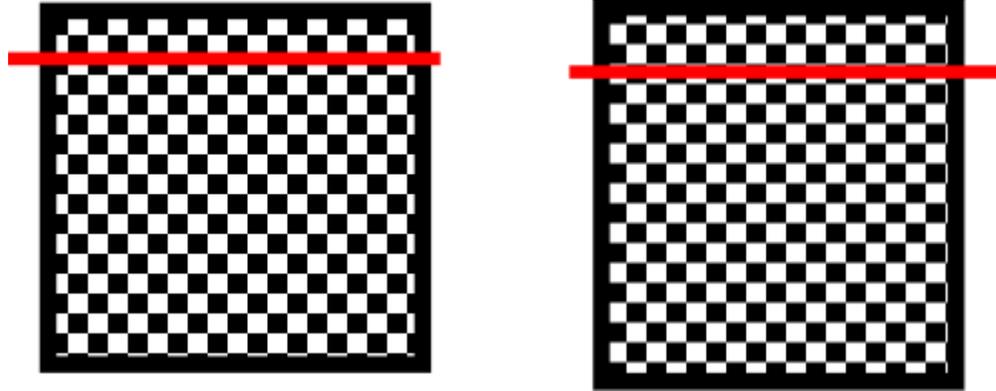


- Taking the threads in a workgroup into account, it becomes slightly less simple

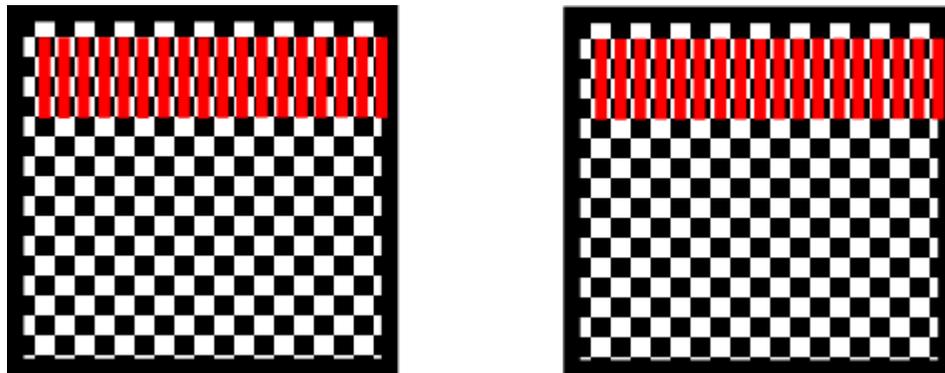


# With transposition

- In program order, we always have sequential loads from memory.



- Taking the threads in a workgroup into account, we switch between different cache lines



# Register Blocking

- New view: A, B and C are block matrices with block-sizes  $\Delta I \times \Delta K$ ,  $\Delta K \times \Delta J$  and  $\Delta I \times \Delta J$
- Same equation, different multiplication operation

$$C_{ij} = \alpha \sum_{k=0}^{N-1} A_{ik} \bullet B_{kj} + \beta C_{ij}$$

- The number of elements that need to be loaded into registers shows that we do not care about  $\Delta K$ , and we want  $\Delta I$  similar to  $\Delta J$

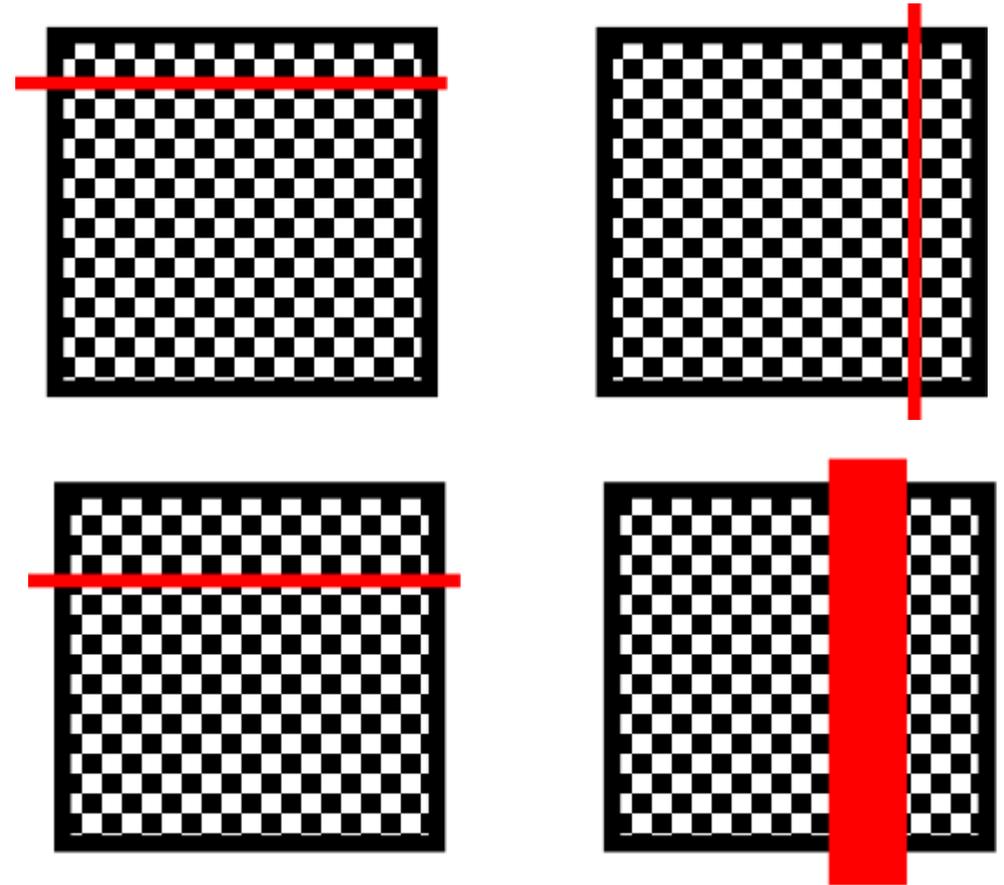
$$N^3 \left( \frac{1}{\Delta I} + \frac{1}{\Delta J} \right)$$

# Vectorisation

- The “inner” matrix multiplication multiplies two small matrices. We want to implement this matrix multiplication using vector operations.
- We prefer operations on 4-component vectors.
- Without transposition, this requires  $\Delta K$  and  $\Delta J$  to be multiples of 4, but with transposition this only requires  $\Delta K$  to be a multiple of 4.
- Due to the finite number of registers, we choose  $(\Delta I, \Delta J, \Delta K)$  equal to  $(1, 4, 4)$  and  $(2, 2, 4)$  without and with transposition, respectively.
- We saw that similar  $\Delta I$  and  $\Delta J$  are better, and here find an advantage for the transposition.
- Other schemes with more complex rearrangements than transposition are also possible.

# Blocked implementation

- `for (k=0; k<n; k++) sum += b[i, k] * b[k,j];`
- Scalar multiplication
- 2 elements loaded per multiplication
- `for (k=0; k<n/4 k++) {  
    sum += a[i, k].x * b[k, j] +  
        a[i, k].y * b[k+1, j] +  
        a[i, k].z * b[k+2, j] +  
        a[i, k].w * b[k+3, j]; }`
- Using 4 vector multiplication
- 20 elements read per 16 multiplications



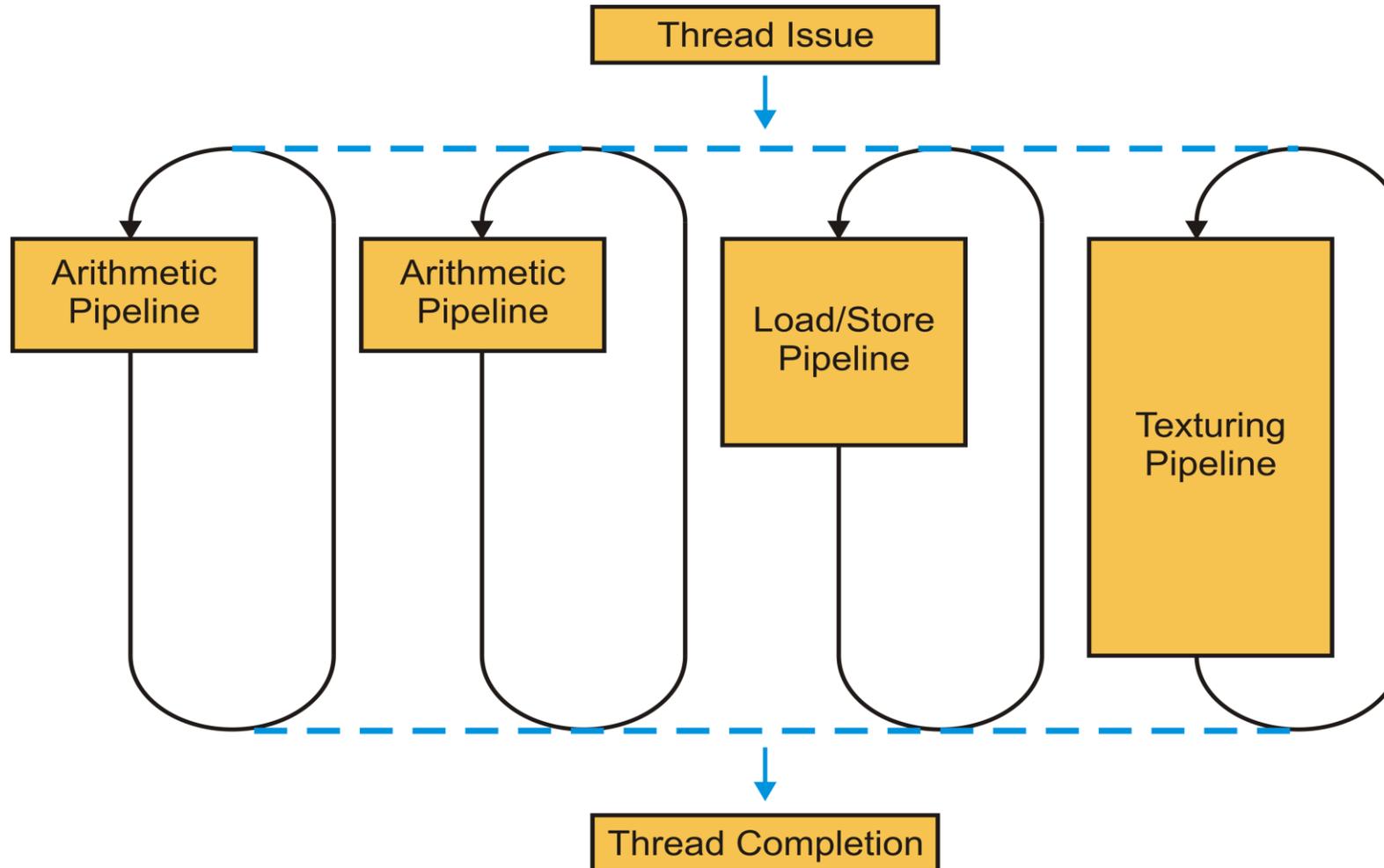
# Cache utilization

- We can compute the number of cache-lines that a workgroup has to load while executing..
- We reuse cache-lines during every sequence of 4 iterations, and we therefore compute the number of LI cache lines needed by one workgroup for 4 iterations.

Workgroup size (dim 2)	1	2	4	8	16	32	64	128
LI fraction	2.0	1.0	0.52	0.28	0.19	0.19	0.28	0.52
Li fraction (transposed)	1.0	0.52	0.28	0.19	0.19	0.28	0.52	1.0

- If all threads execute in the order they were started, there is no problem as long as we are below 100%.
- In reality, threads diverge

# Inside a Core



$$T = \max( A_0, A_1, LS, Tex )$$

# Thread divergence

- Threads execute independently and have independent PC values
- Divergence in PC values due to cache misses and behaviour at various queues
- One workgroup will work on several iterations at once
- Several workgroups will be simultaneously active (for large enough matrices)
- This increases cache usage
- Lower estimated cache usage without thread divergence is a buffer against performance degradation due to thread divergence

# Cache blocking

- We need to handle thread divergence for large matrices
- We introduce another level of blocking, considering the matrices to consist of larger blocks
- We pause the loop at the end of every block, waiting for the remaining threads to finish.
- This delays all threads at workgroup switch, and therefore has a cost.
- It ensures that all threads active on the GPU work on a small dataset, allowing better cache utilization.
- A trade-off that is needed for larger matrices.

# Implementation

- We wait every dk iterations of the inner loop
- ```
for (uint k = 0; k < nv4; k += dk)
{
    for (uint kk = k; kk < k + dk; kk += 1)
    {
        // Inner loop body
    }
    // Wait for all work-items to finish the current tile.
    barrier(CLK_GLOBAL_MEM_FENCE);
}
```

# Barriers

- At a barrier, all threads in the workgroup enter the texture pipe and wait until all threads have arrived.
- Then they exit from the pipe, one thread at a time.
- In many cases relating to correctness, barriers can be avoided and replaced by implicit barriers at job-switch or by explicit synchronization using atomics.
- For performance, we have seen that barriers can be useful to counter thread divergence.

# Transposition revisited

- In sequential execution, transposition minimizes cache misses.
- On a parallel architecture, this is less clear, however
- It allows us to use better register blocking, for a good trade-off between less loads and more vector operations.
- It decreases the L1 cache usage (for our preferred workgroup sizes), allowing us to cope better with thread divergence.
- Transposition allows us to keep looking at the same page of memory for a longer time, which is beneficial for the MMU.

# GPU Compute for Mobile Devices

Tim Hartley & Johan Gronqvist, ARM