

# A COMPUTING-IN-MEMORY ENGINE FOR SEARCHING ON HOMOMORPHICALLY ENCRYPTED DATA

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The logo for the Applications and Systems Driven Center for Energy-Efficient Integrated Nanotechnologies (ASCENT). The word "ASCENT" is written in a stylized, green, blocky font. The letters are outlined with a circuit-like pattern of lines and dots, giving it a technological appearance. A green diagonal line cuts across the logo from the bottom left to the top right.

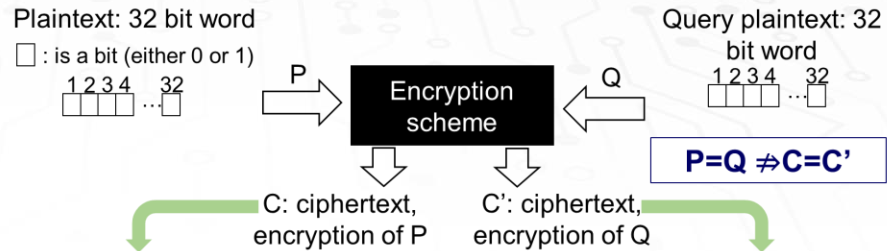
Applications and Systems Driven Center for  
Energy-Efficient Integrated Nanotechnologies

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# LET'S LOOK AT HOMOMORPHIC ENCRYPTION!

# Homomorphic encryption (HE)

- Enables **computation** to be performed **on encrypted data**
  - No prior decryption is necessary!



**Examples of operations on encrypted data:**

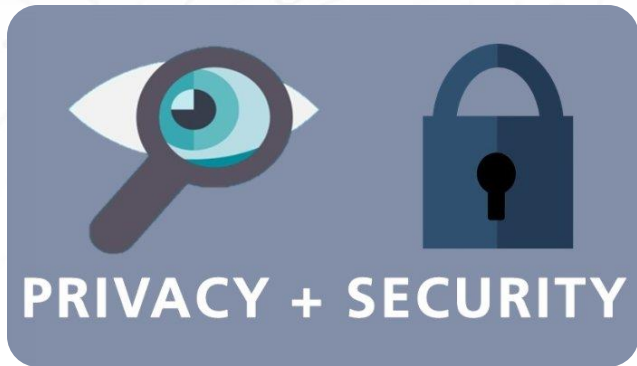
$Y_1 = C + C'$      $Y_2 = C - C'$      $Y_3 = C \times C'$

↓  $Y_1, Y_2, Y_3$  (plaintexts)

**Decryption**

↓  $R_1, R_2, R_3$  (plaintexts)

$R_1 = P + Q$        $R_2 = P - Q$        $R_3 = P \times Q$



Daniel J. Solove, 2015

PRIVACY + SECURITY

# HE challenges

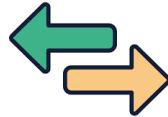
- **Ciphertext sizes:** 10s or even 100s of KB for a 32 or 64-bit word in plaintext

Long latency of  
computations



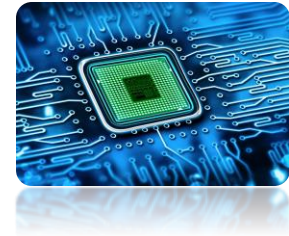
How long does it  
take to run?

Memory  
transfers



How long is to  
fetch  
ciphertexts?

Memory density



Where to store  
all these  
ciphertexts?

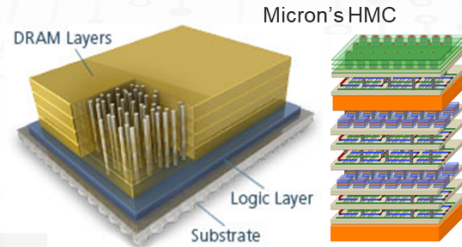
# HOW TO ADDRESS THESE ISSUES?

# Computing-in-memory (CiM)

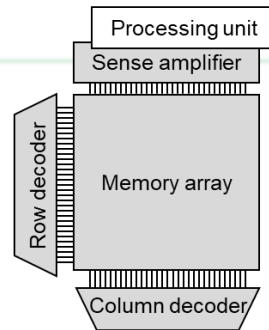
- Mixing **logic and memory** on same chip
  - Energy and performance improvements due to reduced data movement!

Brings computation to memory

Possible operations:  
Arithmetic & Logic



Integration of logic layers in 3D memory



- FeFET-CiM<sup>[2]</sup>
- STT-CiM<sup>[3]</sup>
- Compute caches<sup>[4]</sup> ...

Modifications in the peripheral circuits

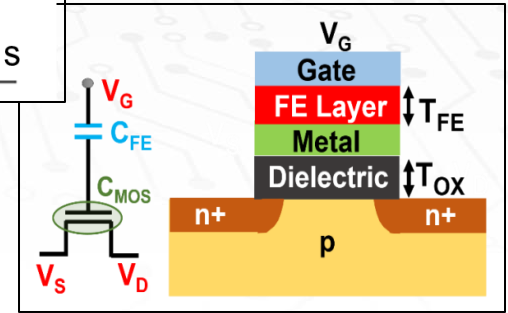
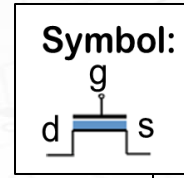
[2] Reis D, Niemier M, Hu XS. Computing in memory with FeFETs. ISLPED 2018 (SRC P094461)

[3] S. Jain, A. Ranjan, K. Roy and A. Raghunathan, "Computing in Memory With Spin-Transfer Torque Magnetic RAM," in IEEE TVLSI, 2018

[4] S. Aga, S. Jeloka, A. Subramaniyan, S. Narayanasamy, D. Blaauw, and R. Das, "Compute caches," in 2017 IEEE HPCA, 2017

# Ferroelectric FETs and their applications for memory

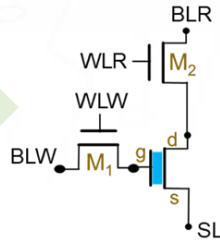
- **Construction resembles MOSFETs**
  - Ferroelectric material added in the gate stack
- **FE material responsible for hysteretic behavior**
  - Device works as both a switch and a memory
- **Fabrication prototypes available**
  - By Dr. Suman Datta (ND), NamLab, GF.



Adapted from X. Yin, 2017

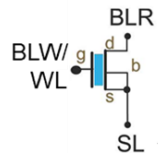
## FeFET-based memory cells used in CiM

2T+1FeFET



	BLW	WLW	BLR	WLR	SL
Write "1"	$V_{write}$	$V_{DD}$	0	0	$0 \rightarrow V_{write}$
Write "0"	0	$V_{DD}$	0	0	$V_{write} \rightarrow 0$
Read	0	0	$V_{read}$	$V_{DD}$	0

1FeFET



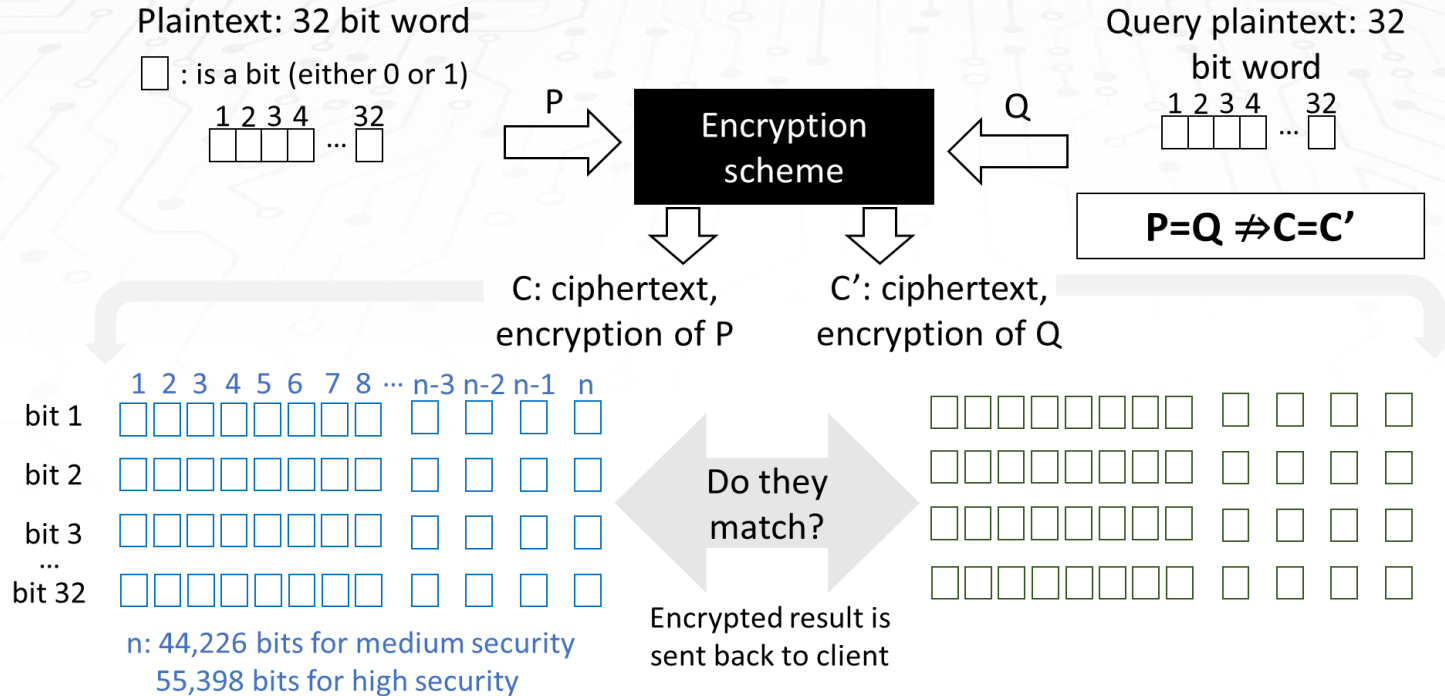
	BLW/WL	BLR	SL
Write "1"	$V_{write}$	0	0
Write "0"	$-V_{write}$	0	0
Read	$V_{read}$	$V_{read}$	0

$V_{write} = \pm 4V$ .  $V_{read} = 0.5V$   
(pre-charged bitline)

Preisach-based model

# SeCAM: Secure content addressable memories

## High level view





# SeCAM: Secure content addressable memories

## Fully-additive search function

Conventional search function performed with a CAM:

$$\prod_{i=1}^w \overline{C_i \oplus C'_i}$$



XNOR-AND operations in HE context require computationally intensive multiplications



Too much noise is introduced into the ciphertexts

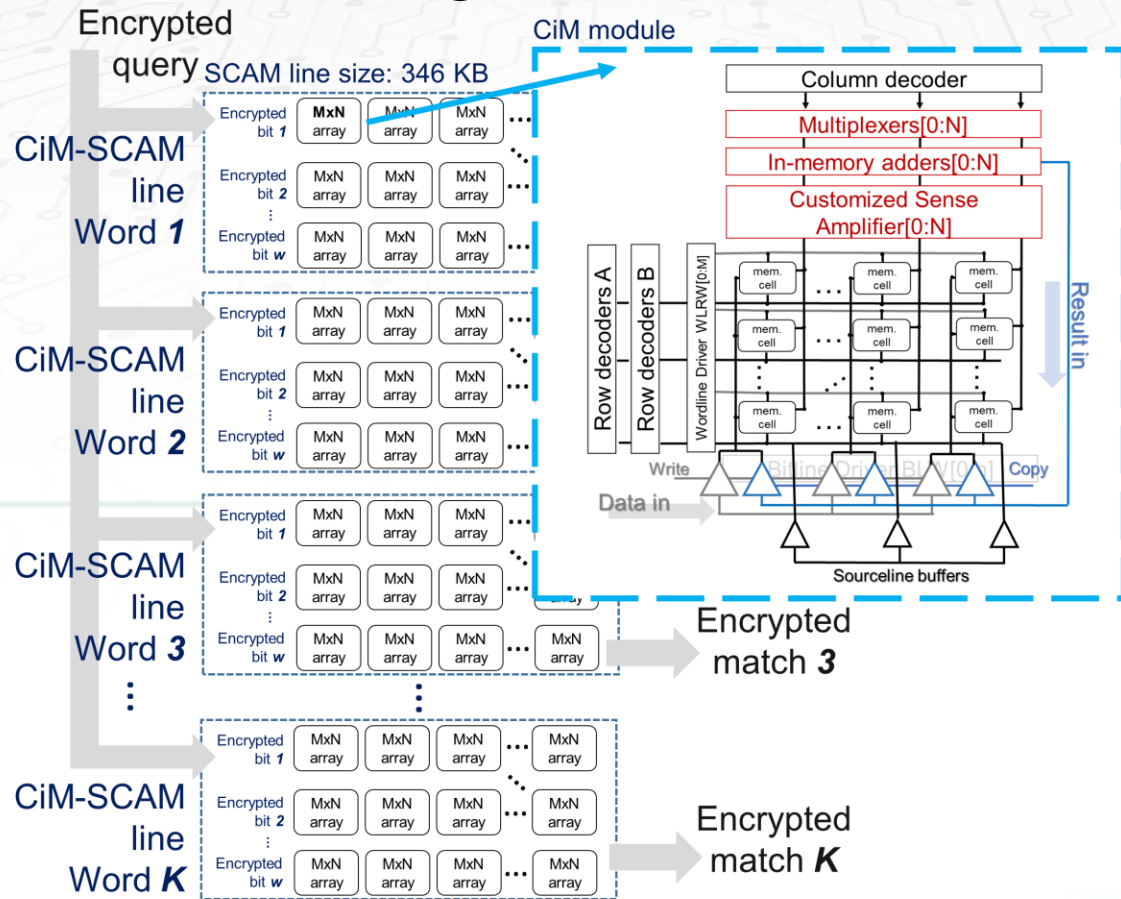
Modified search function performed with secure CAM (SCAM<sup>[1]</sup>):

$$\sum_{i=1}^w C_i + (-C'_i)$$

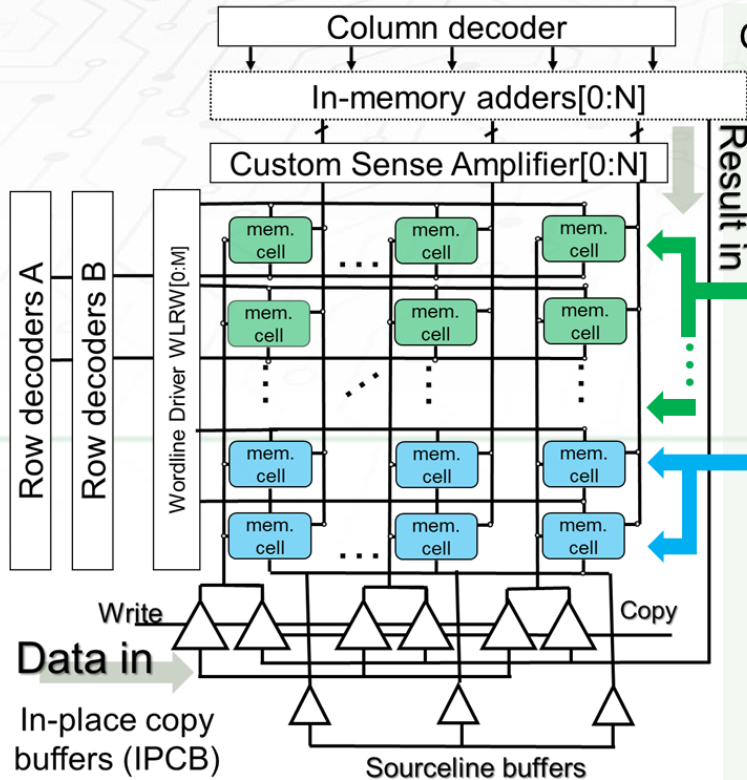


[1] S. Bian, M. Hiromoto, and T. Sato, "SCAM: Secured content addressable memory based on homomorphic encryption," in DATE, 2017

# CiM-SeCAM: A CiM engine to facilitate search in HE



# CiM-SeCAM: Sequence of operations



```

CiM_SCAM(){
    accumulator[1] = ciphertext[1];
    for(i=1 to w){
        if (i%2 ==0)
            src=1, dest=2;
        else
            dest=1, src=2;

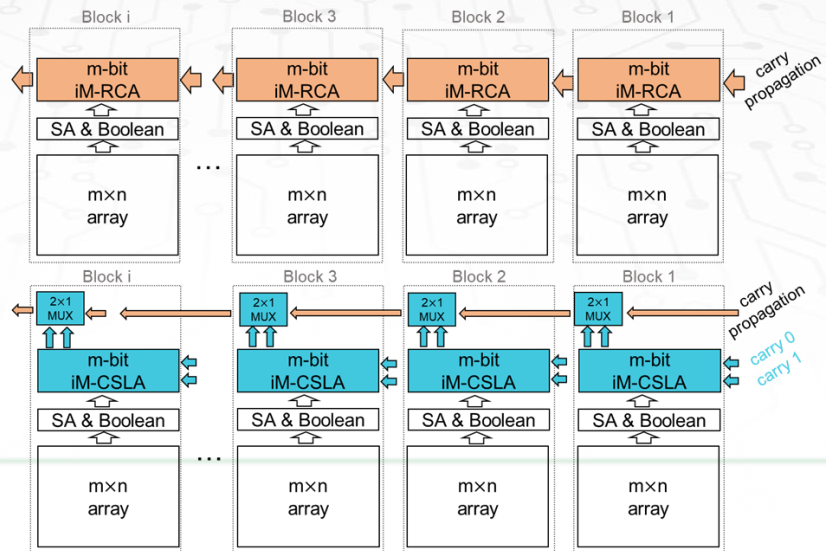
        result=ciphertext[i]+
            accumulator[src]

        accumulator[dest] =
            result;
    }
    Encrypted match = result
}
    
```

# CiM module: in-memory (iM) adders

**iM-RCA**  
**(ripple carry adder)**  
**Serial** carry computation  
 1024-bit iM addition  
 (SRAM-CiM)  
 43.22 ns

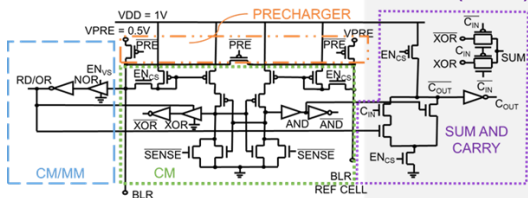
**iM-CSLA**  
**(carry select adder)**  
**Parallel** carry computation  
 1024-bit iM addition  
 (SRAM-CiM)  
 11.13 ns



## Schematics of iM adders:

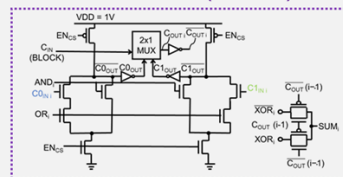
Customized sense amplifier

D. Reis, et al, ISLPED 2018  
 (SRC P094461)



Ripple carry adder (RCA)

Carry select adder (CSLA)

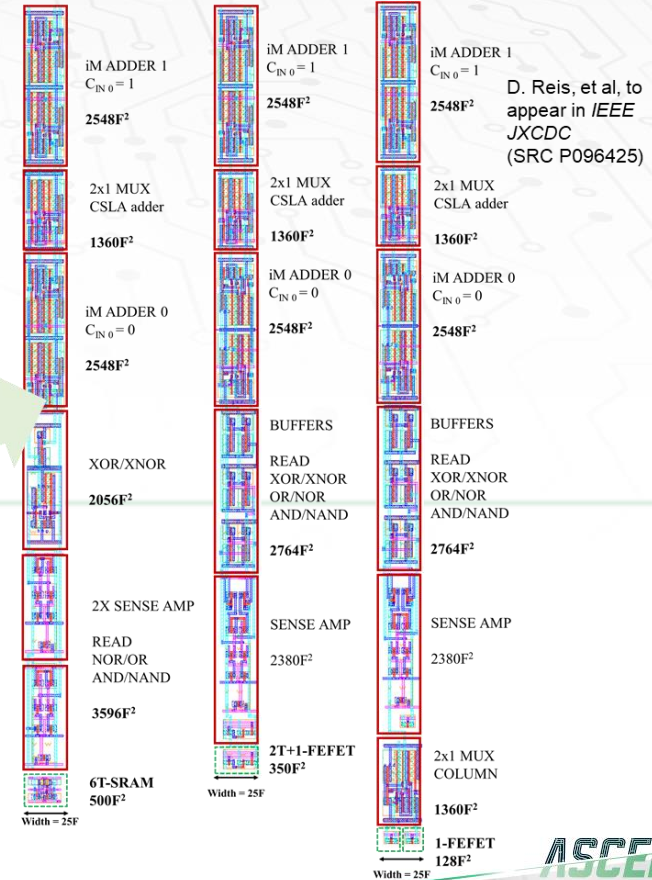


# RESULTS AND PERSPECTIVES

# Evaluation and results

- To **measure** search **energy/time**:
  - Spice simulations of a 64x64 array and peripherals (see “Figure of Merit” for results)
- To **estimate** area:
  - Layout for CiM-SCAM implemented with iM-CSLA

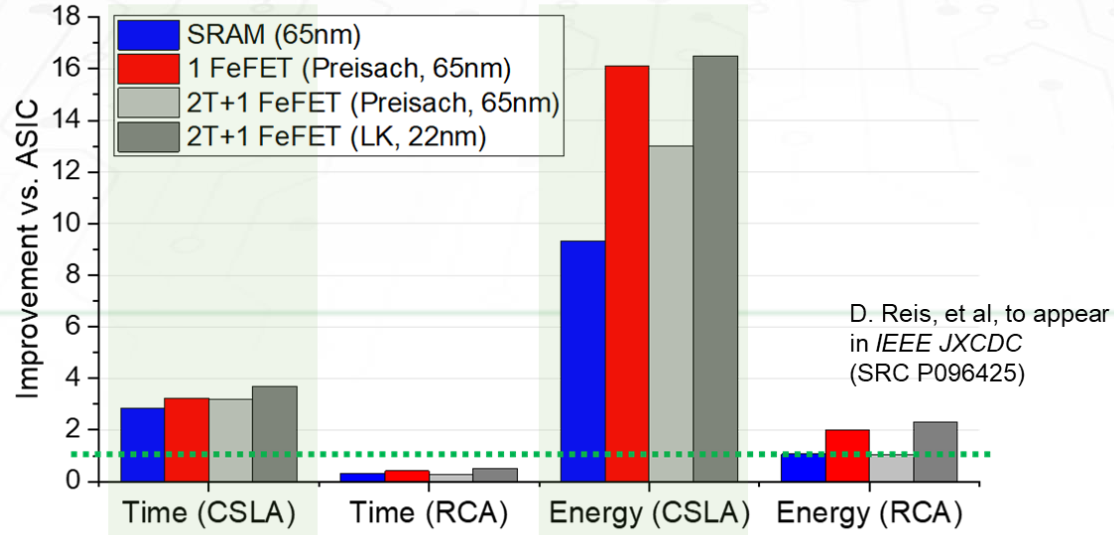
**SRAM, 2T+1-FeFET and 1-FeFET memory cells are considered**



# Figures-of-Merit (FOM)

- Search on homomorphically encrypted data

## CiM approaches vs. an ASIC<sup>[1]</sup>



With **SRAM**: 9.5X energy and 2.8X search time reduction

With **FeFET**: up to 16X energy and 3.2X search time reduction

[1] S. Bian, M. Hiromoto, and T. Sato, "SCAM: Secured content addressable memory based on homomorphic encryption," in DATE, 2017

# Toward CIM-based Fully homomorphic encryption

- Focus on FHE based on **Ring Learning-With-Error (RLWE)**
- Operations are computed over polynomial rings (e.g.,  $\mathbb{Z}_q[X]/\Phi_M(X)$ )
  - I.e.,  $\{a_n x^n + \dots a_1 x + a_0 | a_0, \dots, a_n \in \mathbb{Z}_q\}$  where  $n = 2^d$  for some  $d$
- Core ops – homomorphic addition, multiplication, and re-linearization (noise reduction) – facilitated with 3 basic primitives

**Division with rounding:**  $\left\lfloor \frac{x}{y} \right\rfloor$

- CIM friendly if  $y = 2^k$  for some  $k$

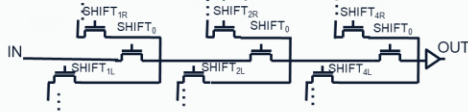
**Modular reduction:**  $[x]_q = x - q \left\lfloor \frac{x}{q} \right\rfloor$

- CIM friendly if  $q = 2^k$  for some  $k$

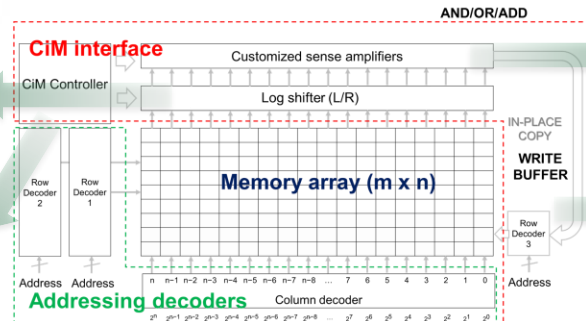
**Modular arithmetic:**  $[x \pm y]_q, [x \times y]_q$

- CIM friendly if  $q = 2^k$  for some  $k$

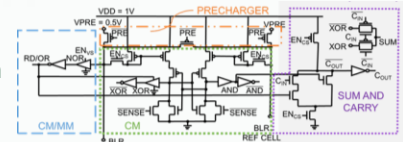
Performs direct div/mult by powers of 2



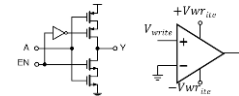
Coordinates sequence of CiM operations



Performs bitwise logic/ ADD between memory words



Write buffers (for SRAM or FeFETs)





**THANK YOU!**  
**QUESTIONS?**



# *JUMP*

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[www.src.org/program/jump](http://www.src.org/program/jump)



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